Physics 211

Sections 1 & 70 Dr. Geoffrey Lovelace Fall 2012 Lecture 11 (10/04/12)

Lecture 11 outline

- Announcements
- More quantitative 2nd-law problems
 - Free-body diagrams
 - Example: Atwood machine & ramp
- Friction & air resistance
 - How friction works
 - Example: friction
- Class participation

Announcements

- piazza.com lecture materials updated
- Homework
 - Homework #5: due 11:59PM
 - Homework #6: will be posted today
- Reading: for next week, begin reading chapter 5
- Office hours
 - 10-11AM, 4PM-5PM today in MH-601B
 - Questions about homework, lecture? Review your exam? ... come to office hours!

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Sep 25	Exam 1	
Sep 27	Laws of motion, HW #4 due	
Oct 2	Free body diagrams	
Oct 4	Free body diagrams, friction, HW #5 due	
Oct 9	Work, introduction to energy	
Oct 11	Energy, kinetic & potential energy, conservation of energy, HW #6 due	
Oct 16	Conservation of energy	
Oct 18	Linear momentum, conservation of linear momentum, HW #7 due	
Oct 23	Exam 2	
Oct 25	Conservation of momentum, collisions, HW #8 due	
Oct 30	Collisions, center of mass, rockets	
Nov 1	Circular motion, gravitation, HW #9 due	
Nov 6	Gravitation, Kepler's laws, intro to rigid body rotation	
Nov 8	Rotation, torque, angular momentum	
Nov 13	Conservation of angular momentum HW #10 due	
Nov 15	Exam 3	
Nov 20	Fall Recess – No class	
Nov 22	Fall Recess – No class	
Nov 27	Temperature, gas laws	
Nov 29	Phase changes, heat transfer, HW #11 due	
Dec 4	Laws of thermodynamics, entropy	
Dec 6	Harmonic motion, HW # 12 due	
Dec 11	Harmonic motion & waves	
Dec 13	Gravitational waves, harmonic motion, black holes, HW #13 due	
Dec 20	Final exam 9:30AM-11:20AM	

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 - Free-body diagrams
 - Example: Atwood machine & ramp
- Friction & air resistance
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- 1.Read carefully
- 2.Draw a sketch
- 3. Given? Goal?
- 4. Brainstorm: 2nd law

4a. For each body, draw

- a free-body diagram
- 5. Calculate
- 6. Plug in numbers
- 7. Is answer reasonable?

• Guide: how to apply F = ma

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- Guide: how to apply F = ma
- Draw a separate diagram for each object

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- Guide: how to apply F = ma
- Draw a separate diagram for each object
 - 1. Draw axes
 - Origin where force applied
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1.Read carefully

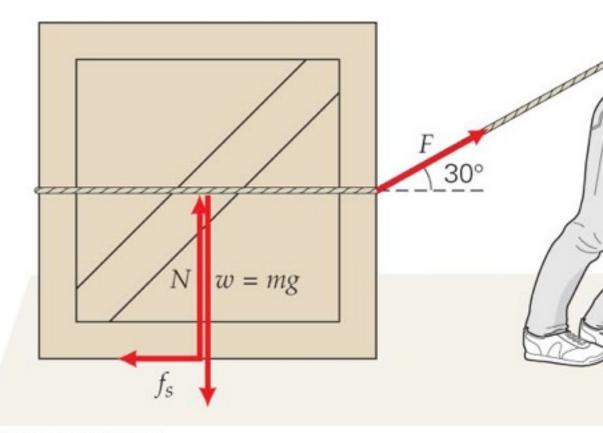
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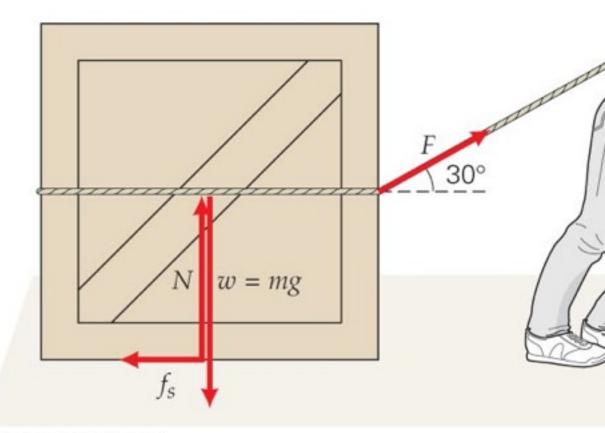
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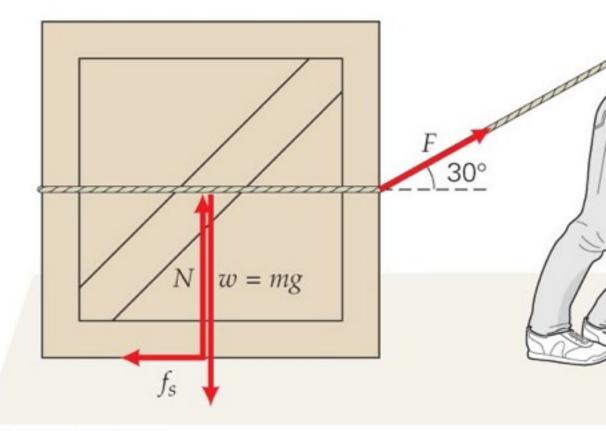


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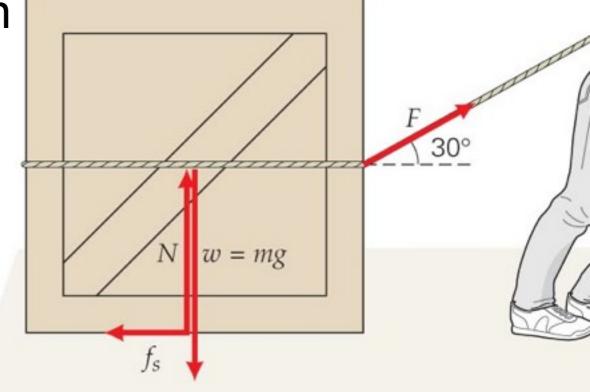
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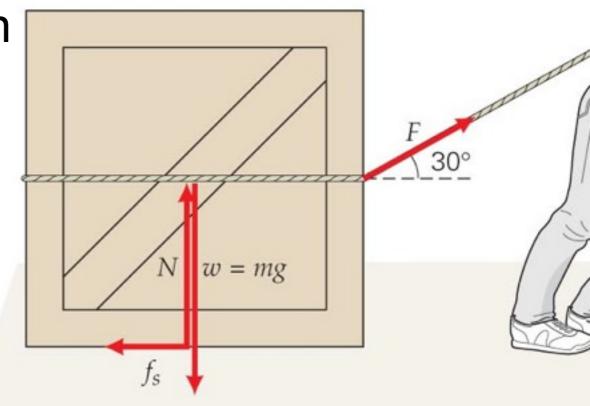
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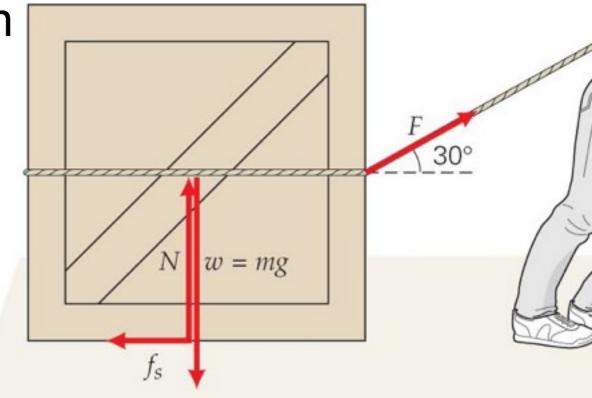
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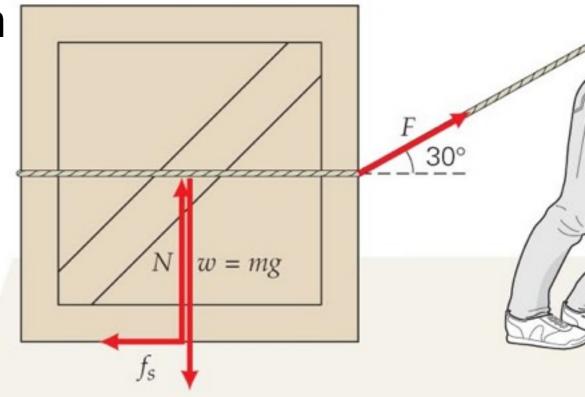
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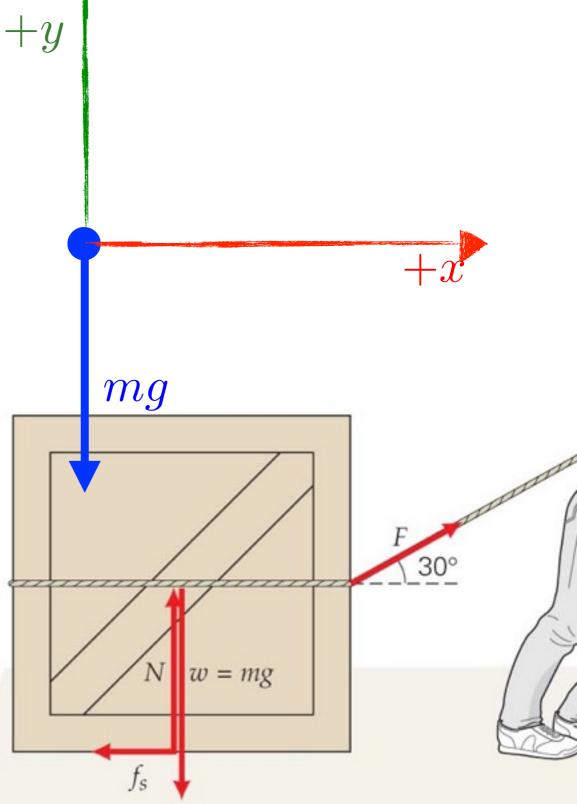
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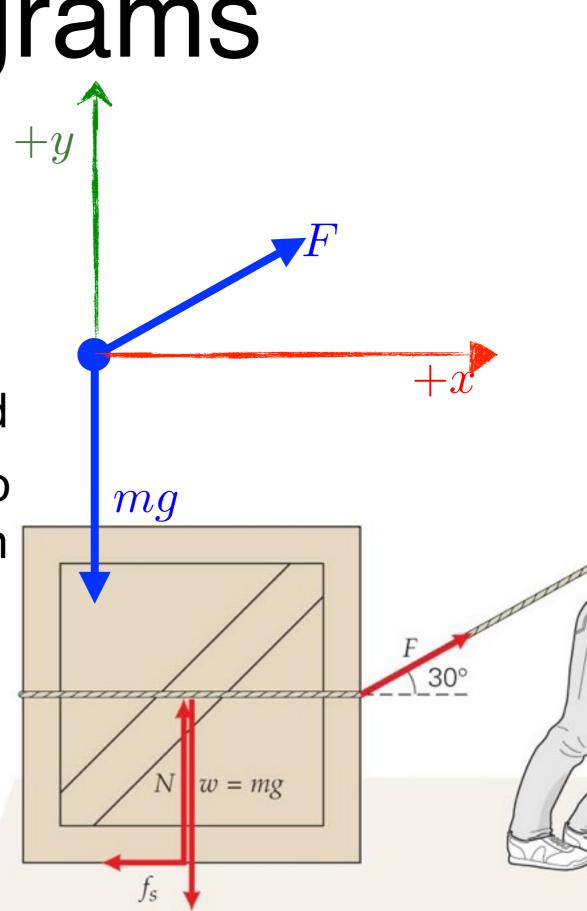
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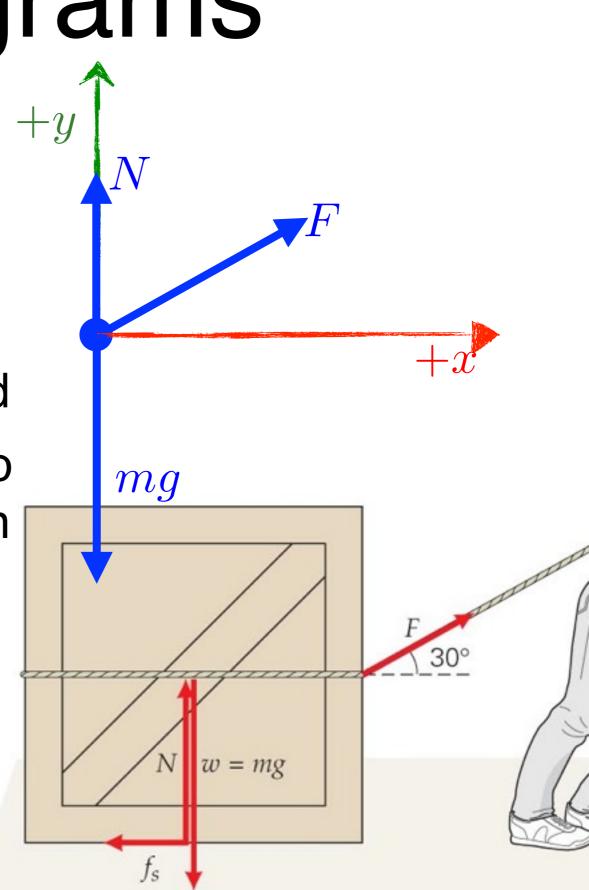
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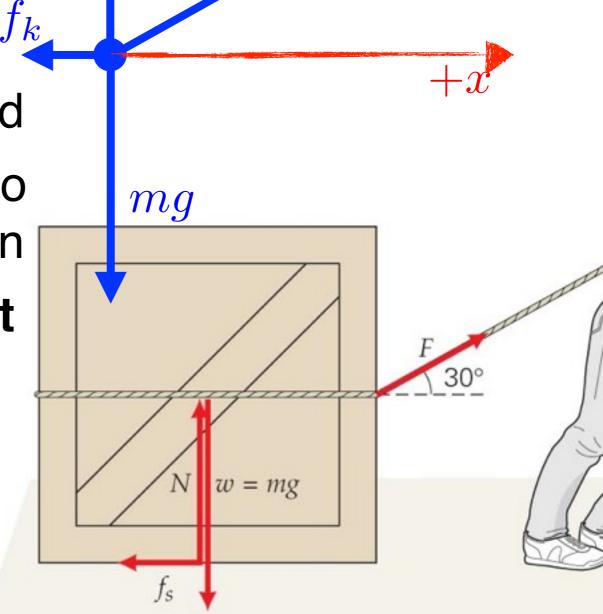
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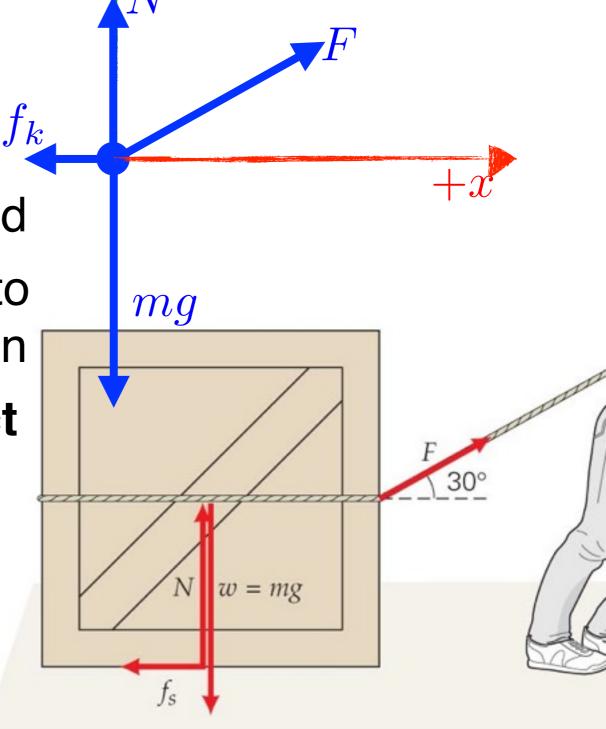
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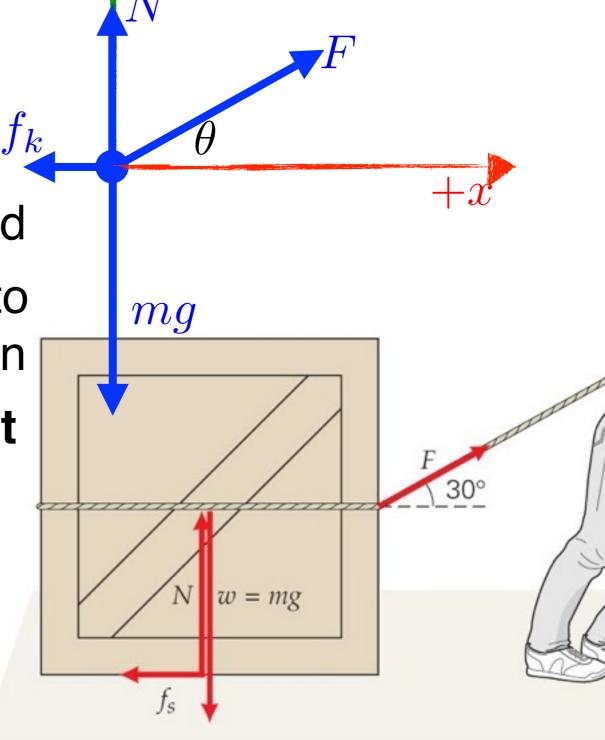


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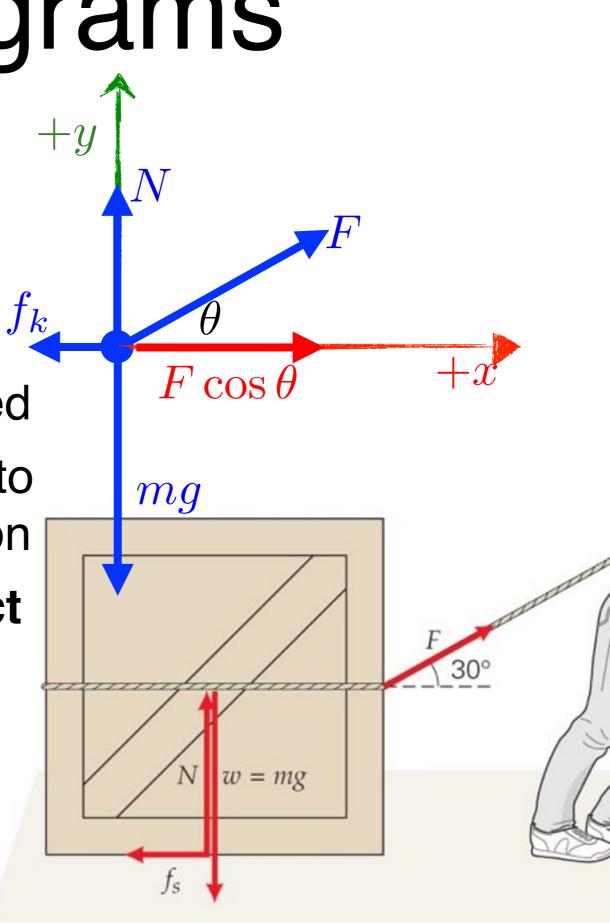
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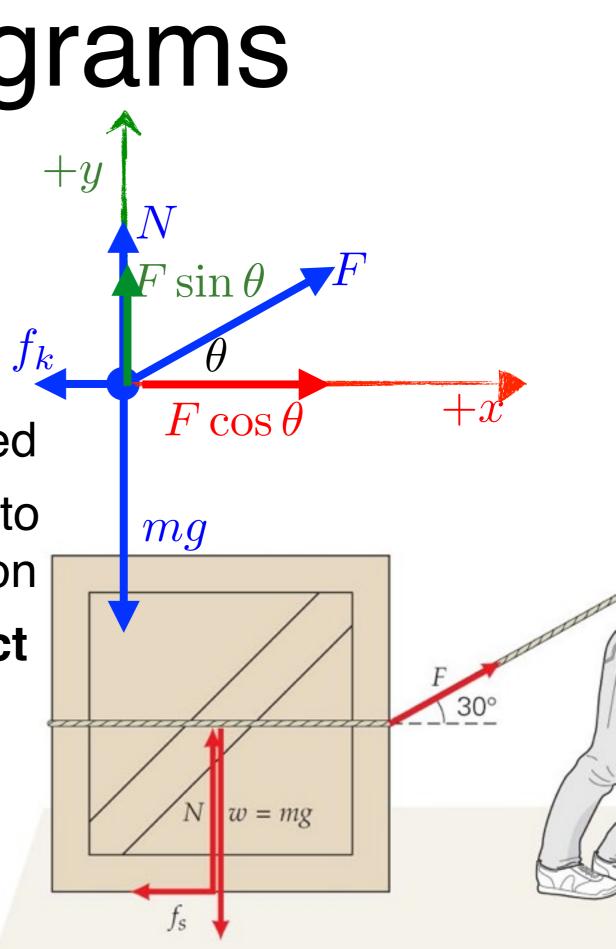


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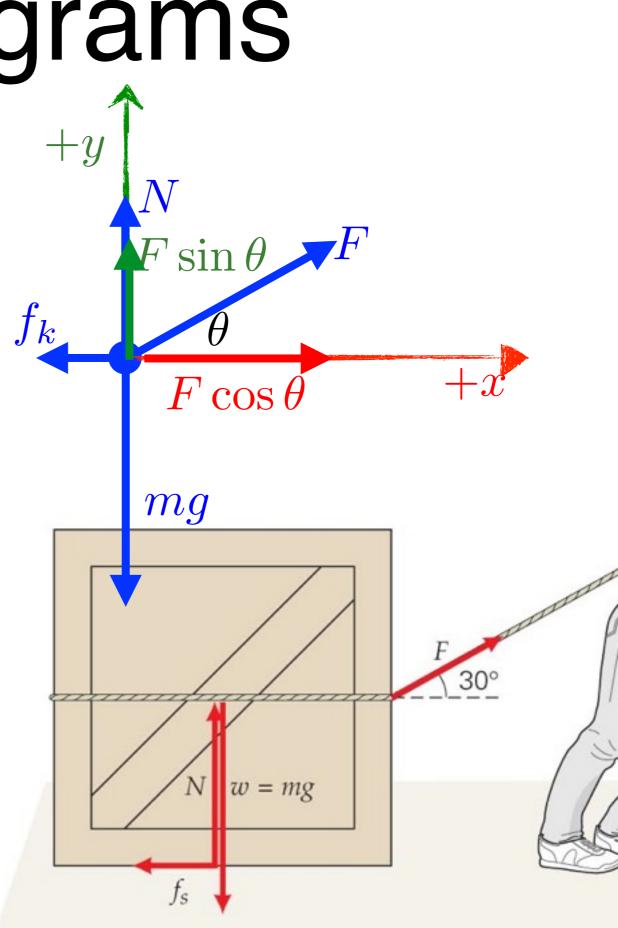
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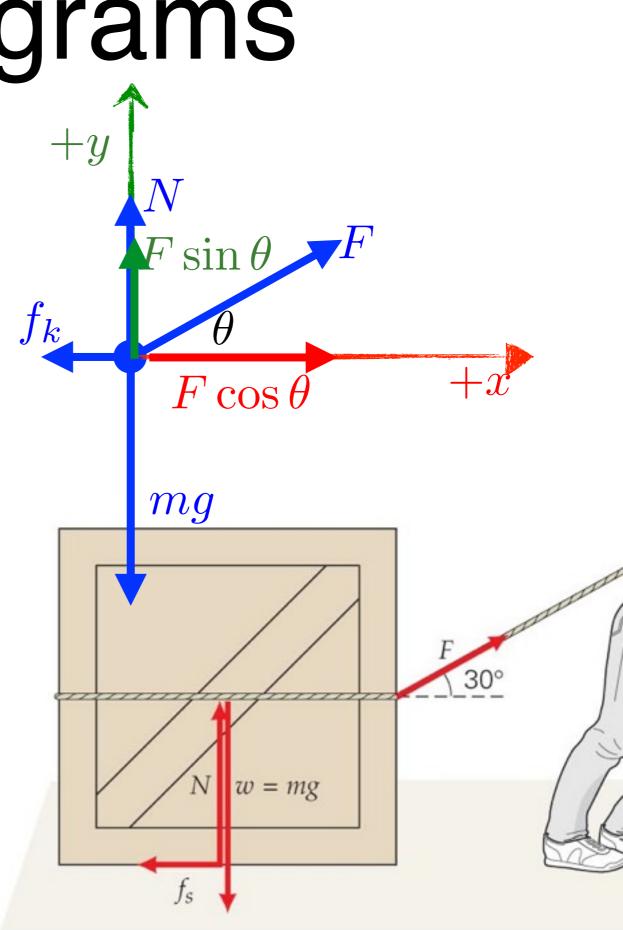


- Guide: how to apply F = ma
- Draw a separate diagram for each object
- Use the horizontal and vertical free-body diagrams to compute the net forces for *F* = *ma*



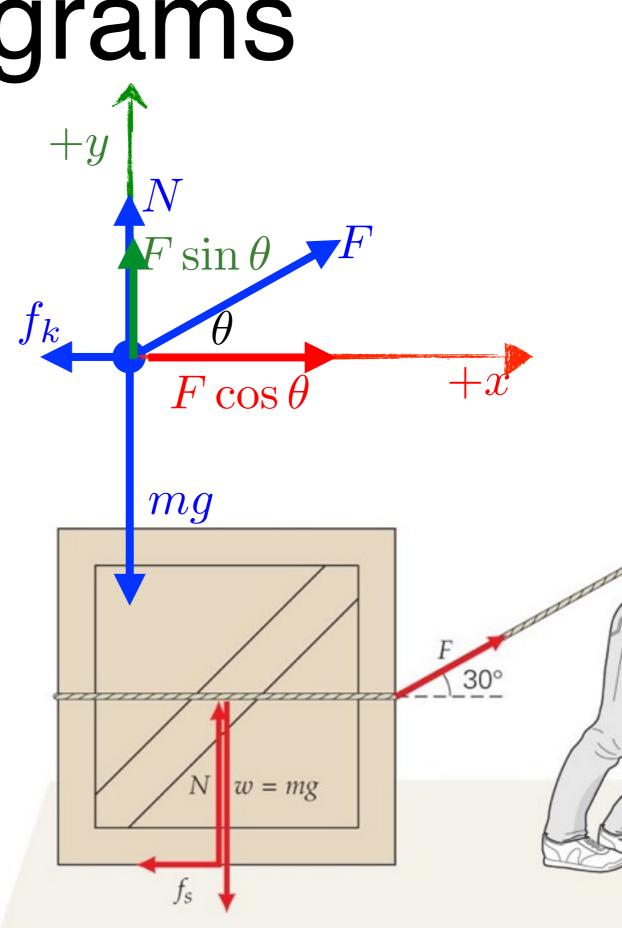
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 $F\cos\theta - f_k = ma_x$



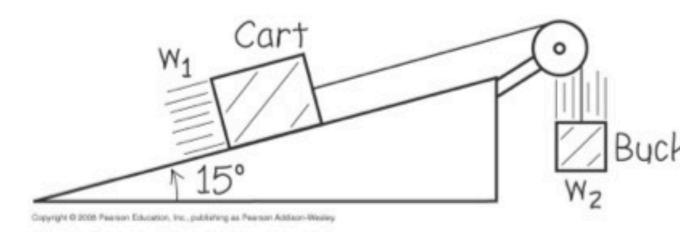
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$$F\cos\theta - f_k = ma_x$$
$$F\sin\theta + N - mg = 0$$



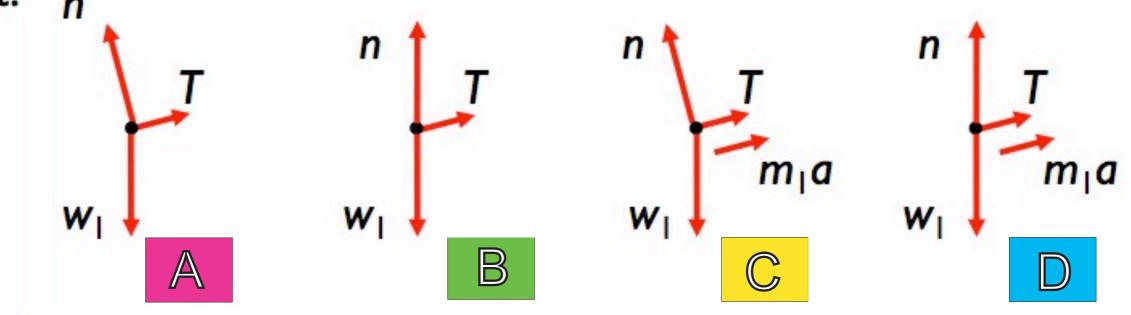
Clicker question #41

A cart (weight w_1) is attached by a lightweight cable to a bucket (weight w_2) as shown. The ramp is frictionless.



When released, the cart accelerates up the ramp.

Which of the following is a correct free-body diagram for the cart? n

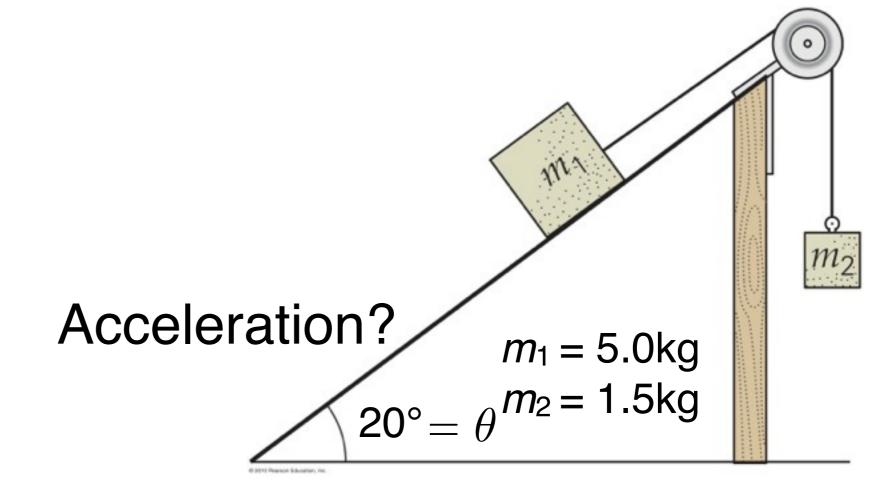


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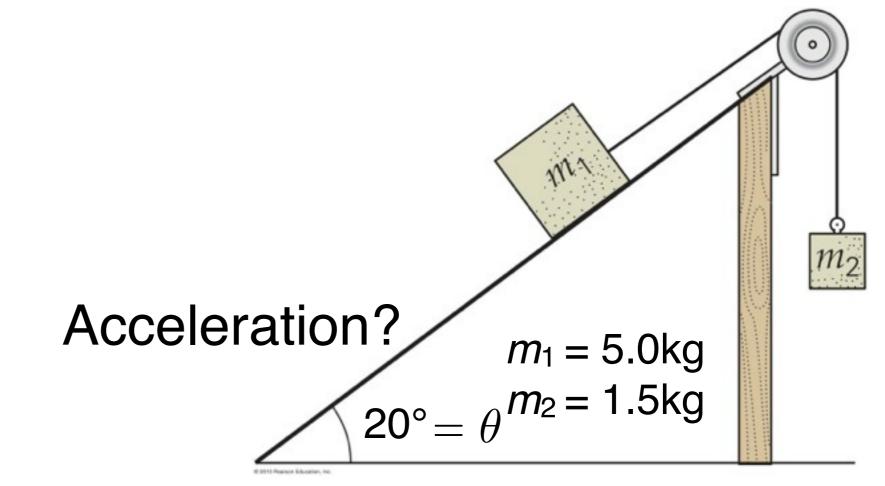
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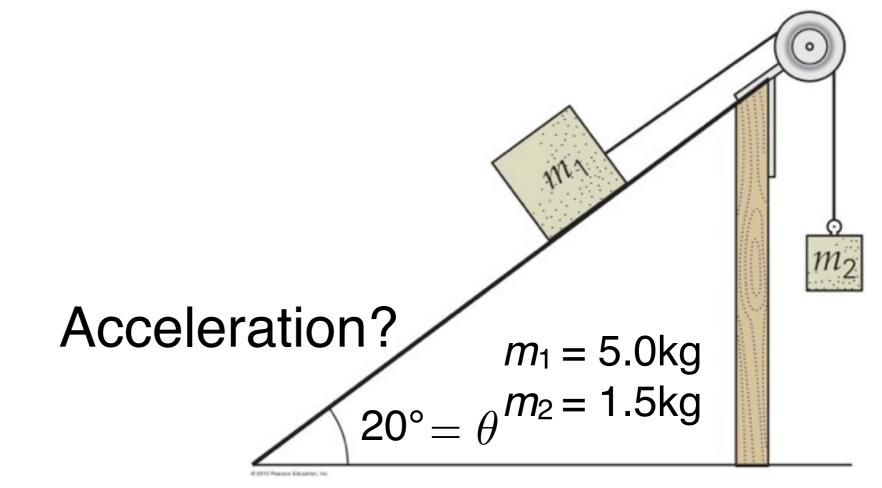


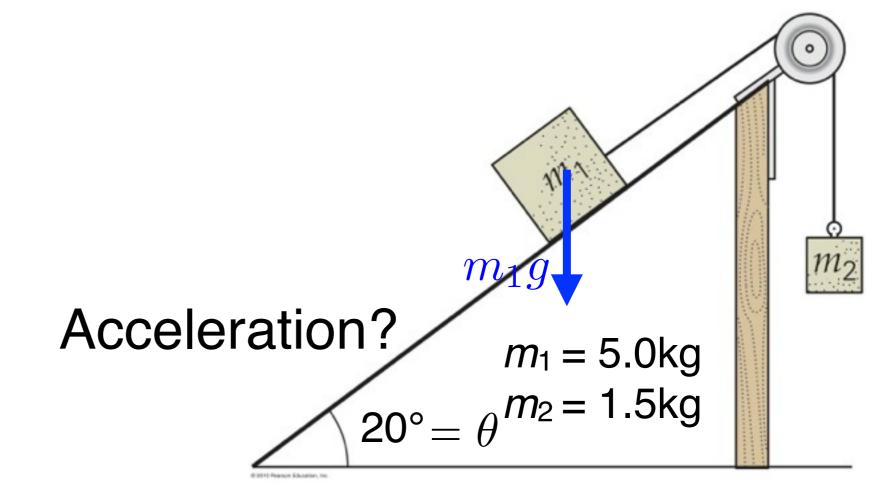
Ex. 4.6

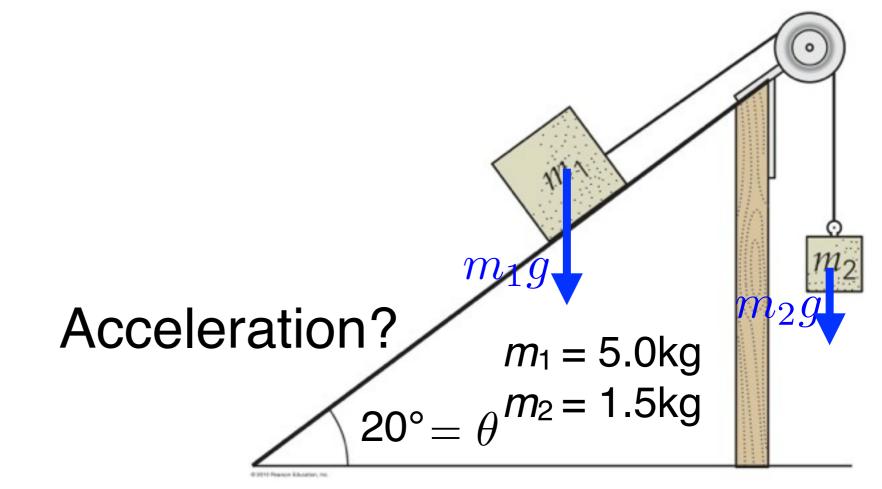


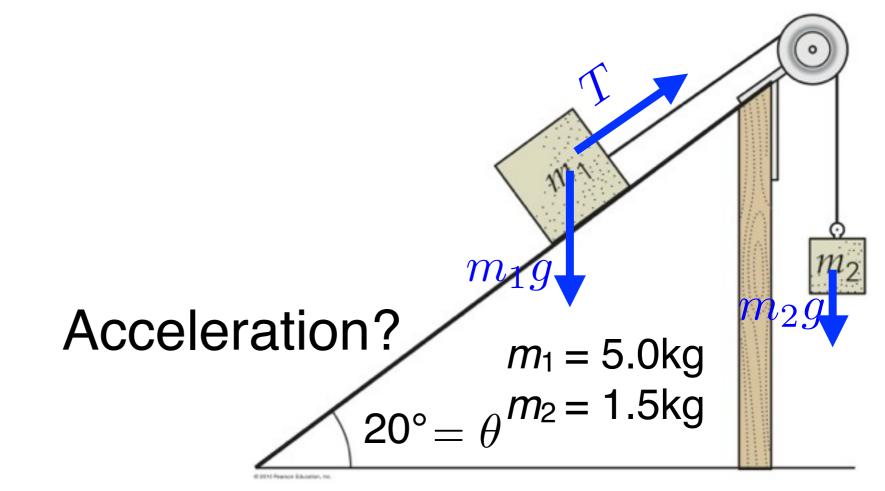


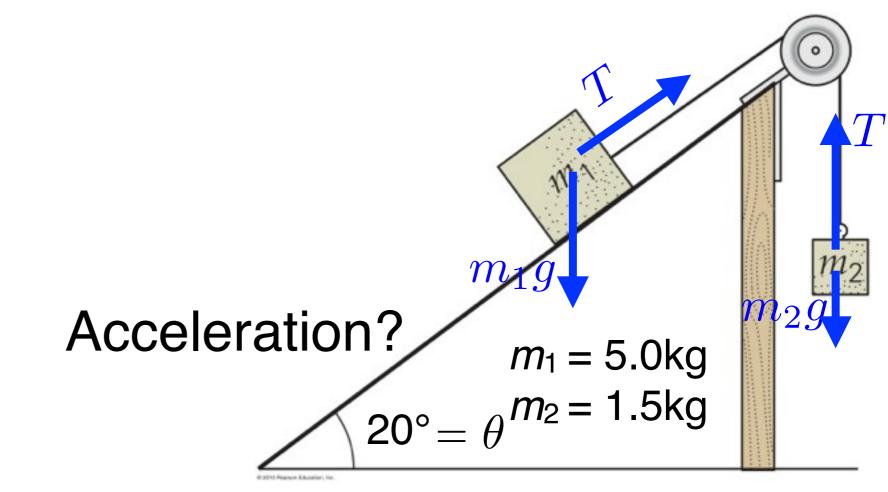


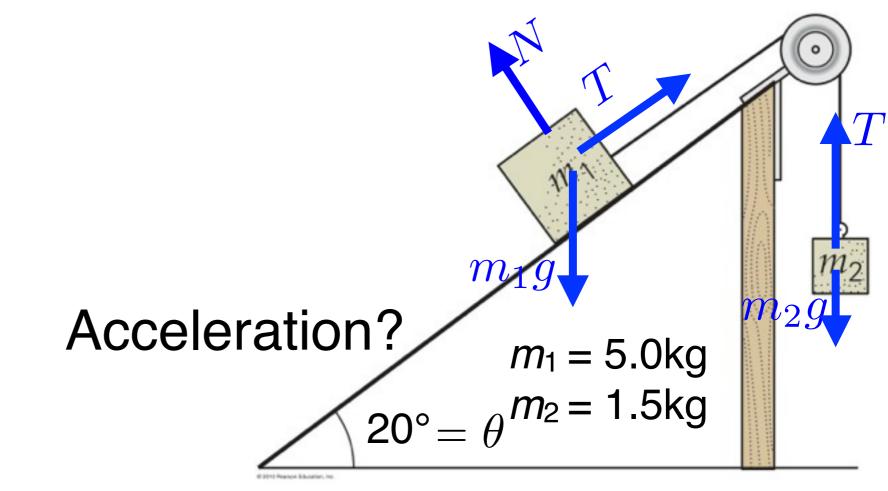




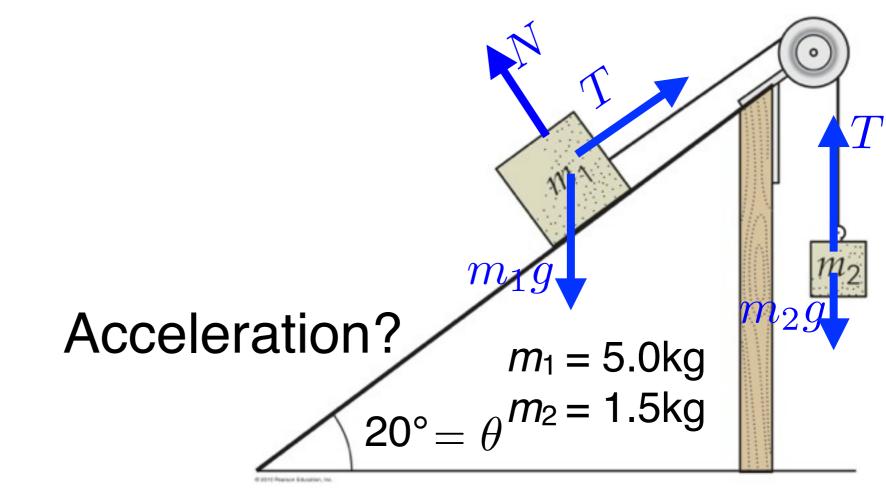






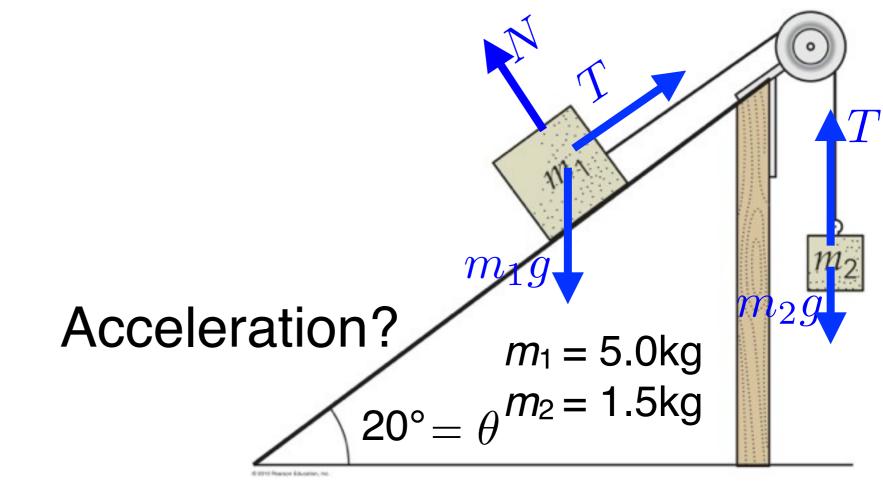


1.Read carefully2.Draw a sketch = space diagram3.Given? Goal?



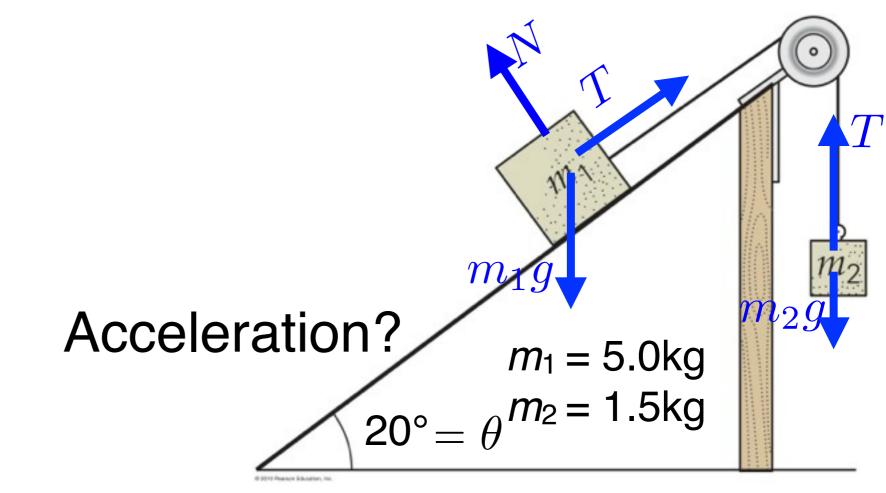
Given: m_1 , m_2 , θ

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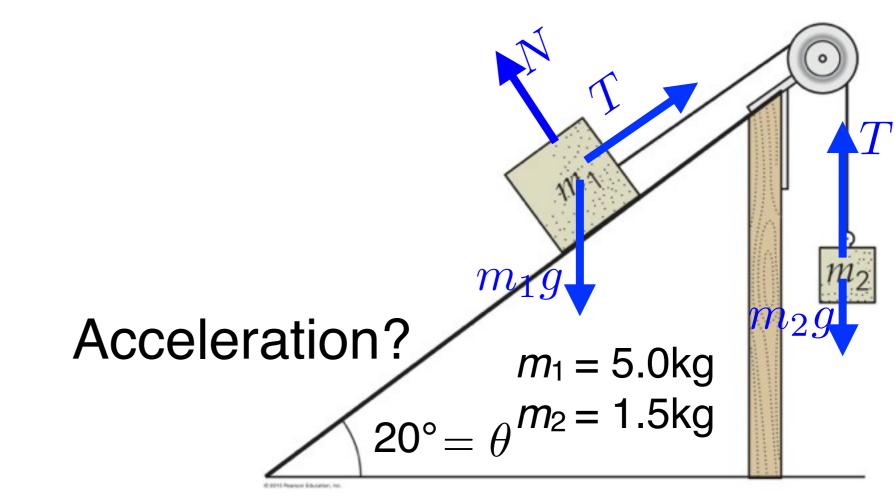


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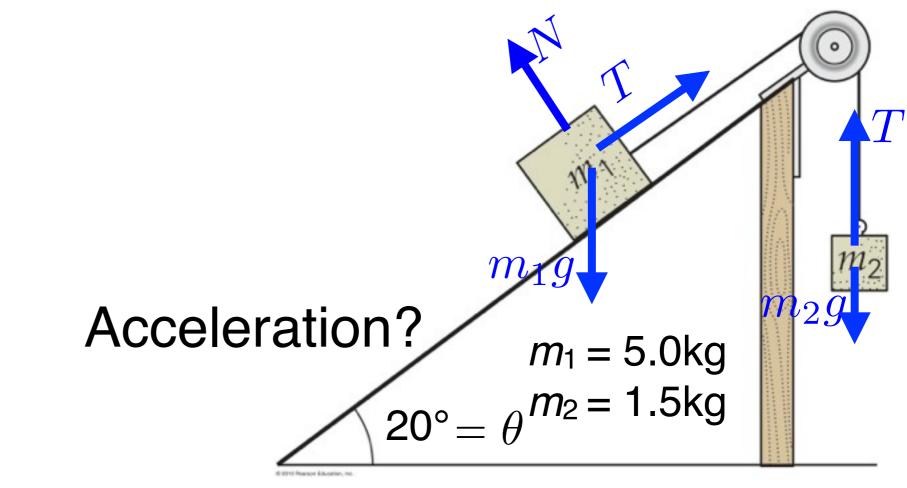
- 3. Given? Goal?
- 4. Brainstorm: 2nd law problem



Given: m_1 , m_2 , θ Goal: a

- **1.Read carefully**
- 2.Draw a sketch = space diagram
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- 4. Brainstorm: 2nd law problem4a. For each body, drawa free-body diagram





Given: m_1 , m_2 , θ Goal: a

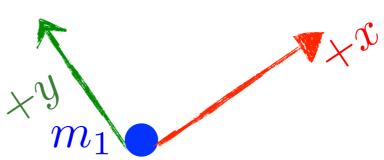
Acceleration?

1.Read carefully

2.Draw a sketch = space diagram

- 3. Given? Goal?
- 4. Brainstorm: 2nd law problem
 4a. For each body, draw
 a free-body diagram
 i: draw axes: along accel., origin

where forces applied



 $m_1 = 5.0 \text{kg}$

 $20^\circ = \theta^{m_2} = 1.5$ kg

Given: m_1 , m_2 , θ Goal: a

Acceleration?

 m_1g

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Given: m_1 , m_2 , θ Goal: a

Acceleration?

1.Read carefully

2.Draw a sketch = space diagram

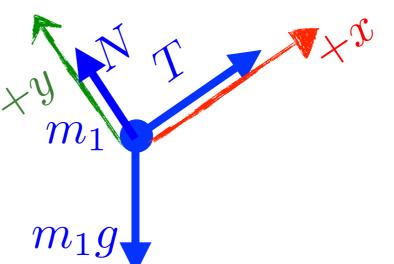
3. Given? Goal?

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4a. For each body, draw
a free-body diagram

i: draw axes: along accel., origin where forces applied

ii: draw force vectors from origin

iii: resolve forces into components



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 $20^\circ = \theta^{m_2} = 1.5$ kg

Given: m_1 , m_2 , θ Goal: a

Acceleration?

 m_1g

20°=

 $m_1 = 5.0$ kg

 $= \theta m_2 = 1.5 \text{kg}$

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 - i: draw axes: along accel., origin where forces applied
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 - Use colors
 - OR draw new, separate diagrams for x,y components

Given: m_1 , m_2 , θ Goal: a

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 $m_1 g \cos \theta$ m_1

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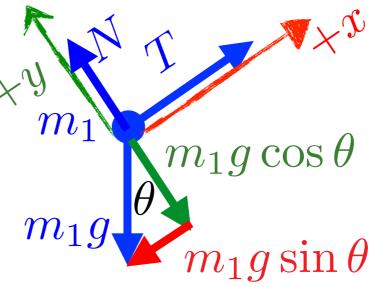
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Acceleration?

Given: m_1 , m_2 , θ Goal: a

Acceleration?

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Given: m_1 , m_2 , θ Goal: a

Acceleration?

 m_2

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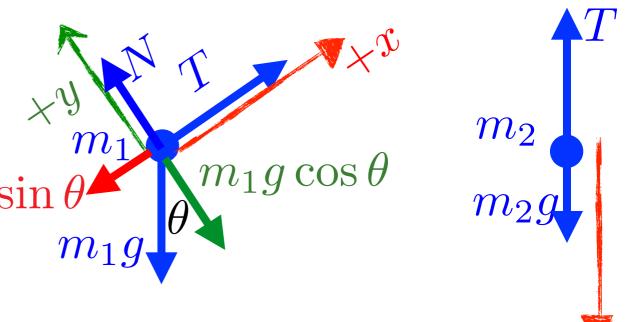


Given: m_1 , m_2 , θ Goal: a

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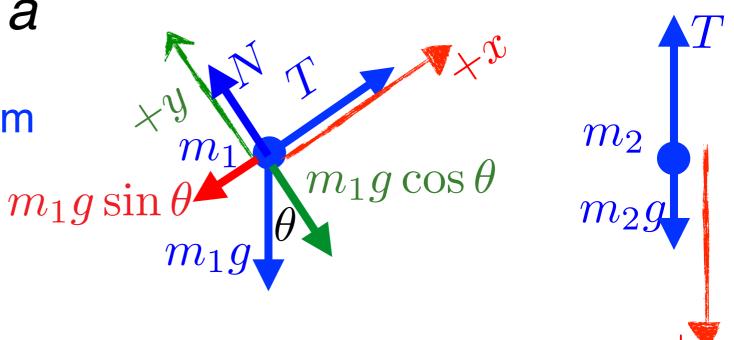
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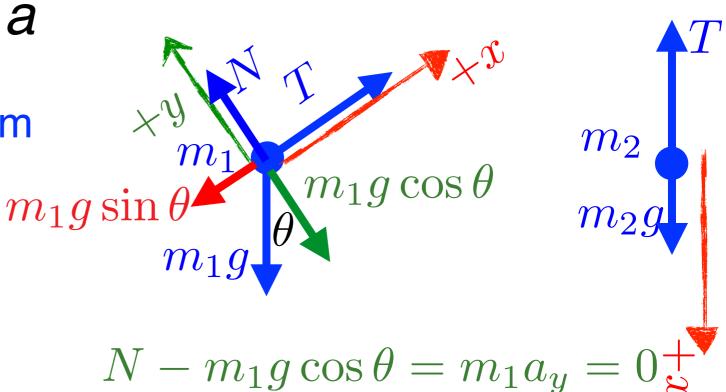
Given: m_1 , m_2 , θ Goal: a

- 2.Draw a sketch = space diagram
- 3. Given? Goal?
- 4. Brainstorm: 2nd law problem m_1g 4a. For each body, draw a free-body diagram
 - 4b. Apply Newton's 2nd law



Given: m_1 , m_2 , θ Goal: a

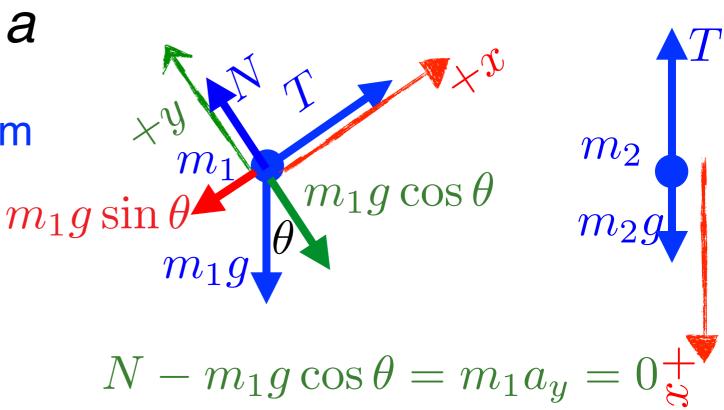
- 2.Draw a sketch = space diagram
- 3. Given? Goal?
- 4. Brainstorm: 2nd law problem ⁿ
 4a. For each body, draw
 a free-body diagram
 4b. Apply Newton's 2nd law



Given: m_1 , m_2 , θ Goal: a

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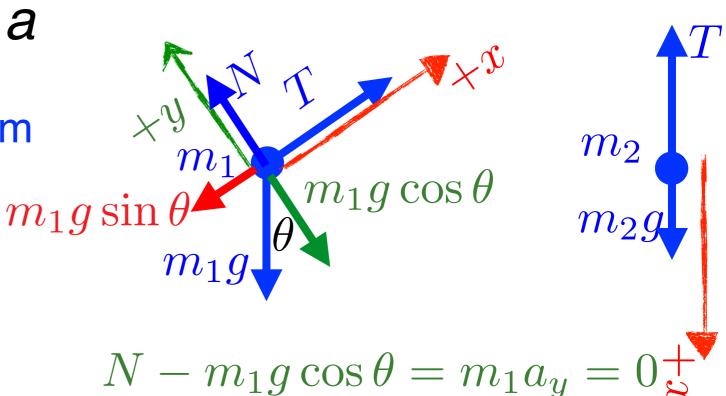


 $T - m_1 g \sin \theta = m_1 a_x = m_1 a$

Given: m_1 , m_2 , θ Goal: a

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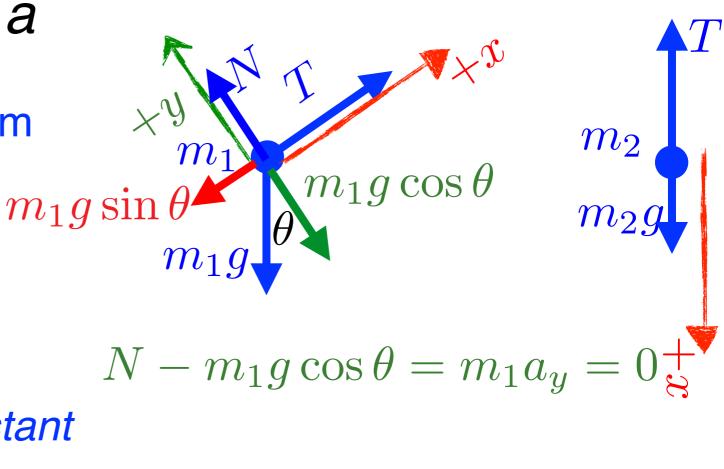


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Given: m_1 , m_2 , θ Goal: a

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- 3. Given? Goal?
- 4. Brainstorm: 2nd law problem ^{m19} 4a. For each body, draw a free-body diagram 4b. Apply Newton's 2nd law *Note: if const. force, constant acceleration kinematic equations also apply*

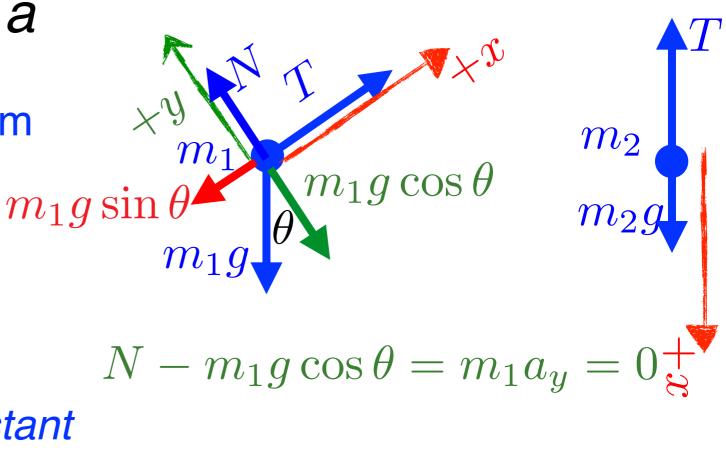


 $T - m_1 g \sin \theta = m_1 a_x = m_1 a$ $m_2 g - T = m_2 a_x = m_2 a$

Given: m_1 , m_2 , θ Goal: a

1.Read carefully

- 2.Draw a sketch = space diagram
- 3. Given? Goal?
- 4. Brainstorm: 2nd law problem ^{m19} 4a. For each body, draw a free-body diagram 4b. Apply Newton's 2nd law *Note: if const. force, constant acceleration kinematic equations also apply*5. Calculate



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Given: m_1 , m_2 , θ Goal: a

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 $m_{1}g \sin \theta \qquad m_{1}g \cos \theta \qquad m_{2}g \qquad m_$

Given: m_1 , m_2 , θ Goal: a

1.Read carefully

- 2.Draw a sketch = space diagram
- 3. Given? Goal?
- 4. Brainstorm: 2nd law problem ^{m₁g}
 4a. For each body, draw

 a free-body diagram
 4b. Apply Newton's 2nd law
 Note: if const. force, constant
 acceleration kinematic
 equations also apply

 5. Calculate

 $T = m_1(a + g\sin\theta)$

 m_2 $m_1g\cos\theta$ $m_1g\sin$ $N - m_1 g \cos \theta = m_1 a_y = 0 \stackrel{+}{\underset{\scriptstyle \sim}{\smile}}$ $N = m_1 g \cos \theta$ $T - m_1 g \sin \theta = m_1 a_x = m_1 a$ $m_2 g - T = m_2 a_x = m_2 a$

Given: m_1 , m_2 , θ Goal: a

- 2.Draw a sketch = space diagram
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$$m_{1} m_{1}g \cos \theta$$

$$m_{2}g m_{2}g m_$$

$$m_2g - T = m_2a_x = m_2a$$

$$T = m_1(a + g\sin\theta) \quad T = m_2(g - a)$$

Given: m_1 , m_2 , θ Goal: a

1.Read carefully

- 2.Draw a sketch = space diagram
- 3. Given? Goal?
- 4. Brainstorm: 2nd law problem ^{m1g}
 4a. For each body, draw a free-body diagram
 4b. Apply Newton's 2nd law Note: if const. force, constant acceleration kinematic equations also apply
 5. Calculate

 m_2 $m_1g\cos\theta$ $m_1g\sin$ $N = m_1 g \cos \theta$ $T - m_1 g \sin \theta = m_1 a_x = m_1 a$ $m_2 g - T = m_2 a_x = m_2 a$

$$T = m_1(a + g\sin\theta) \quad T = m_2(g - a)$$
$$m_1a + m_1g\sin\theta = m_2g - m_2a$$

Given: m_1 , m_2 , θ Goal: a

1.Read carefully

- 2.Draw a sketch = space diagram
- 3. Given? Goal?
- 4. Brainstorm: 2nd law problem ^{m19}
 4a. For each body, draw a free-body diagram
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 5. Calculate

$$T = m_1(a + g\sin\theta) \quad T = m_2(g - a)$$

$$m_1a + m_1g\sin\theta = m_2g - m_2a$$

$$(m_1 + m_2)a = g(m_2 - m_1\sin\theta)$$

 m_2 $m_1g\cos\theta$ $m_1g\sin$ $N = m_1 g \cos \theta$ $T - m_1 g \sin \theta = m_1 a_x = m_1 a$ $m_2 g - T = m_2 a_x = m_2 a$

Ex. 4.6

Given: m_1 , m_2 , θ Goal: a

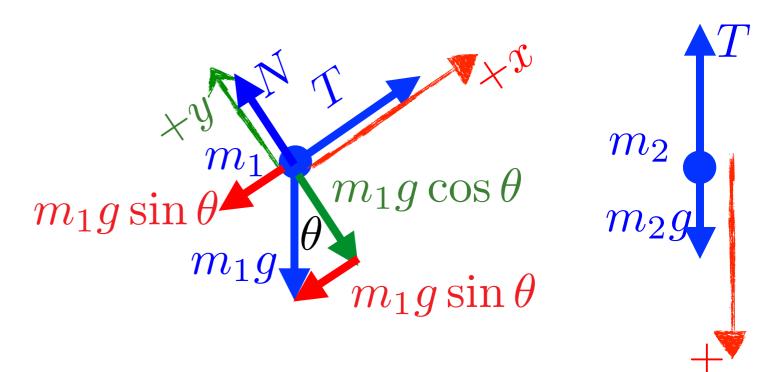
1.Read carefully

- 2.Draw a sketch = space diagram
- 3. Given? Goal?
- 4. Brainstorm: 2nd law problem ^{m19} 4a. For each body, draw a free-body diagram 4b. Apply Newton's 2nd law *Note: if const. force, constant acceleration kinematic equations also apply*5. Calculate

$$T = m_1(a + g\sin\theta) \quad T = m_2(g - a)$$
$$m_1a + m_1g\sin\theta = m_2g - m_2a$$
$$(m_1 + m_2)a = g(m_2 - m_1\sin\theta)$$

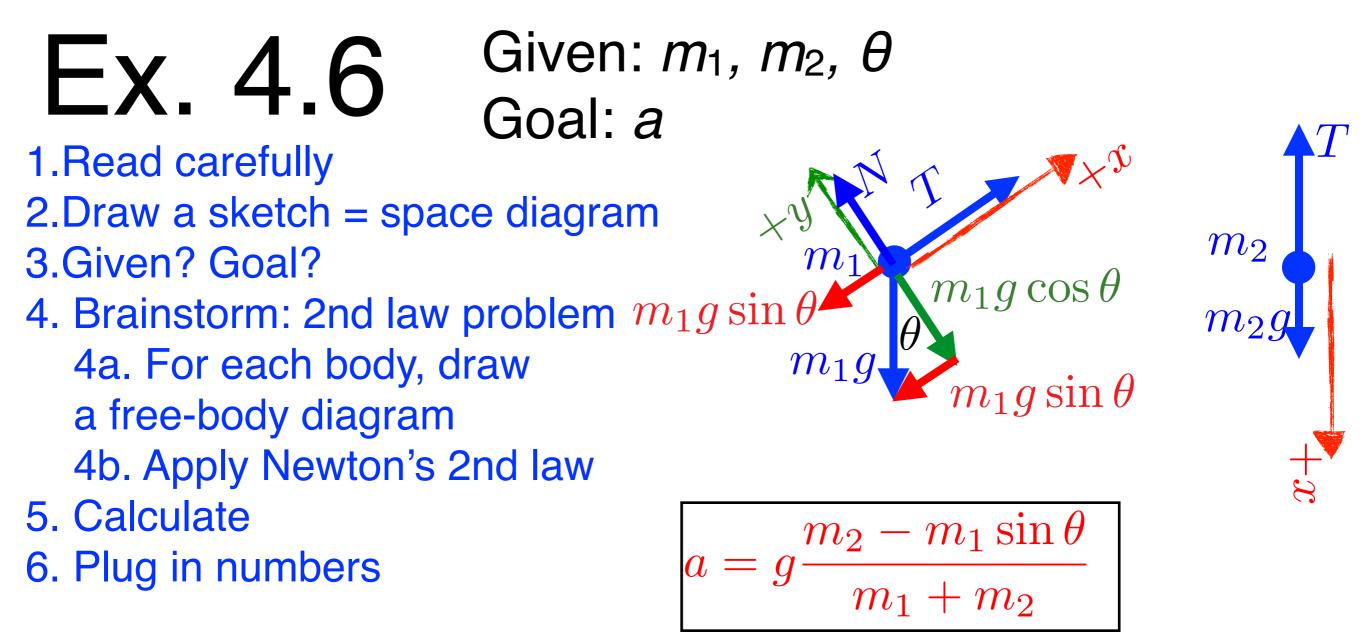
 m_2 $m_1g\cos\theta$ $m_1g\sin\theta$ $N - m_1 g \cos \theta = m_1 a_y = 0 + \mathbf{s}$ $N = m_1 g \cos \theta$ $T - m_1 g \sin \theta = m_1 a_x = m_1 a$ $m_2g - T = m_2a_x = m_2a$ a) $a = g \frac{m_2 - m_1 \sin \theta}{m_1 + m_2}$

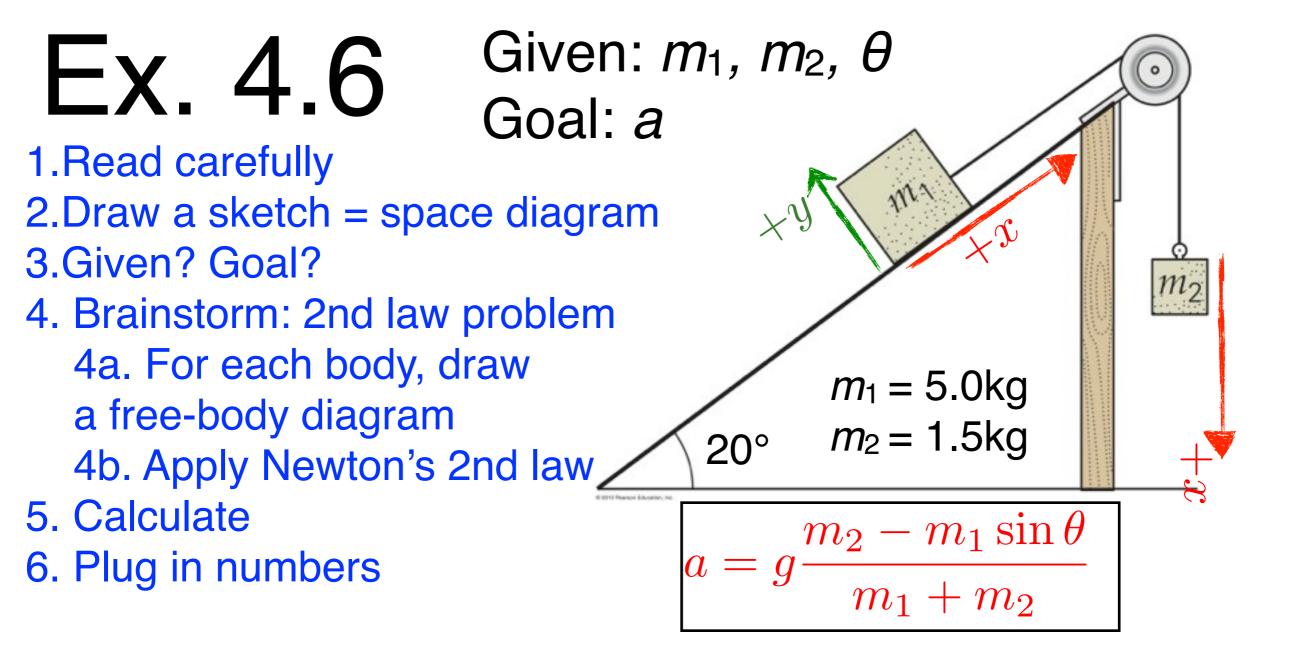
Ex. 4.6

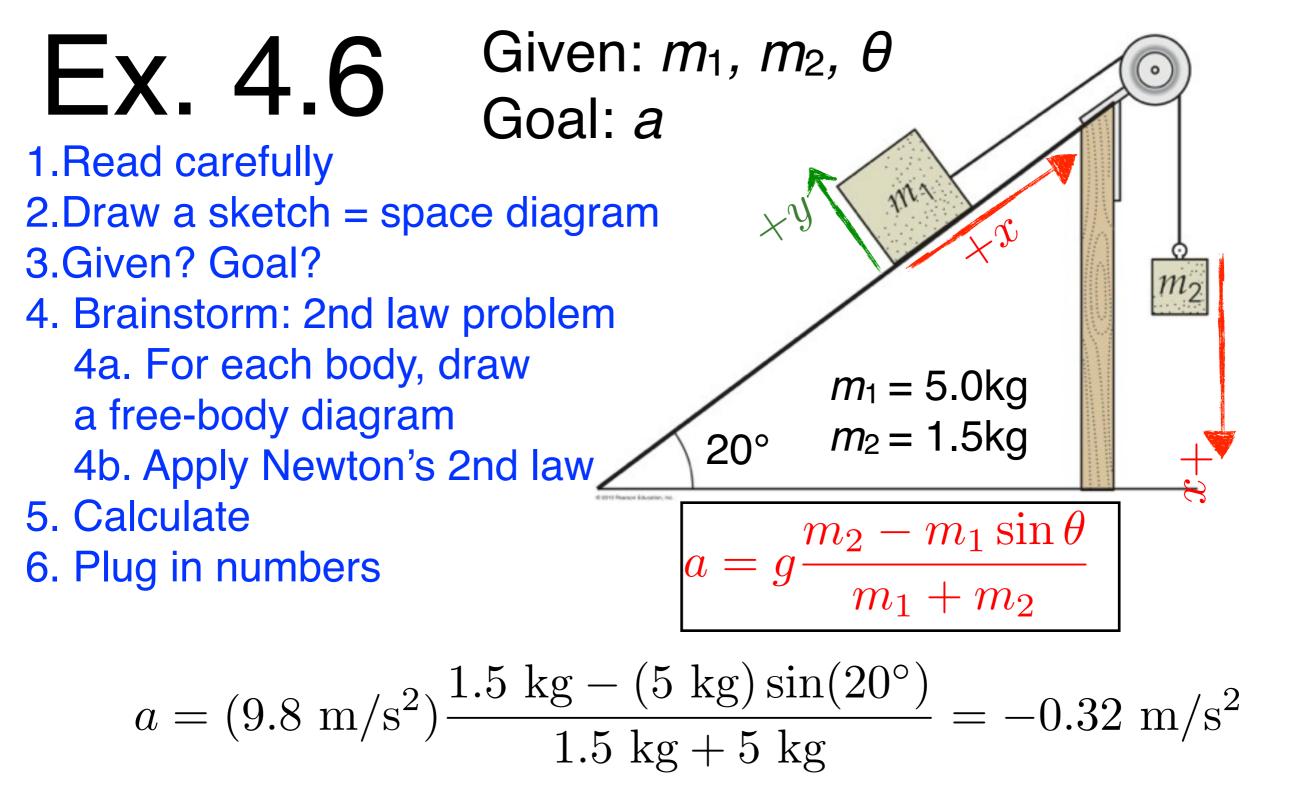


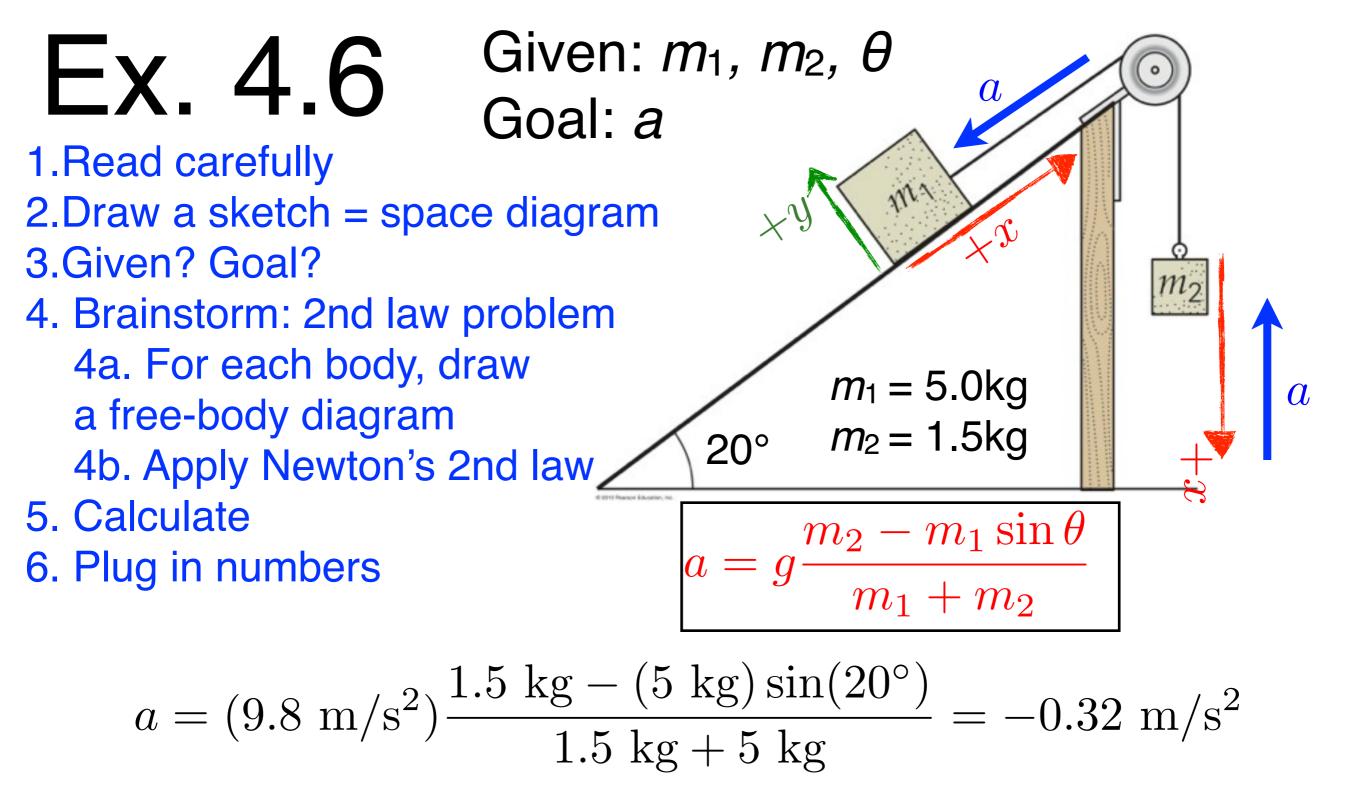
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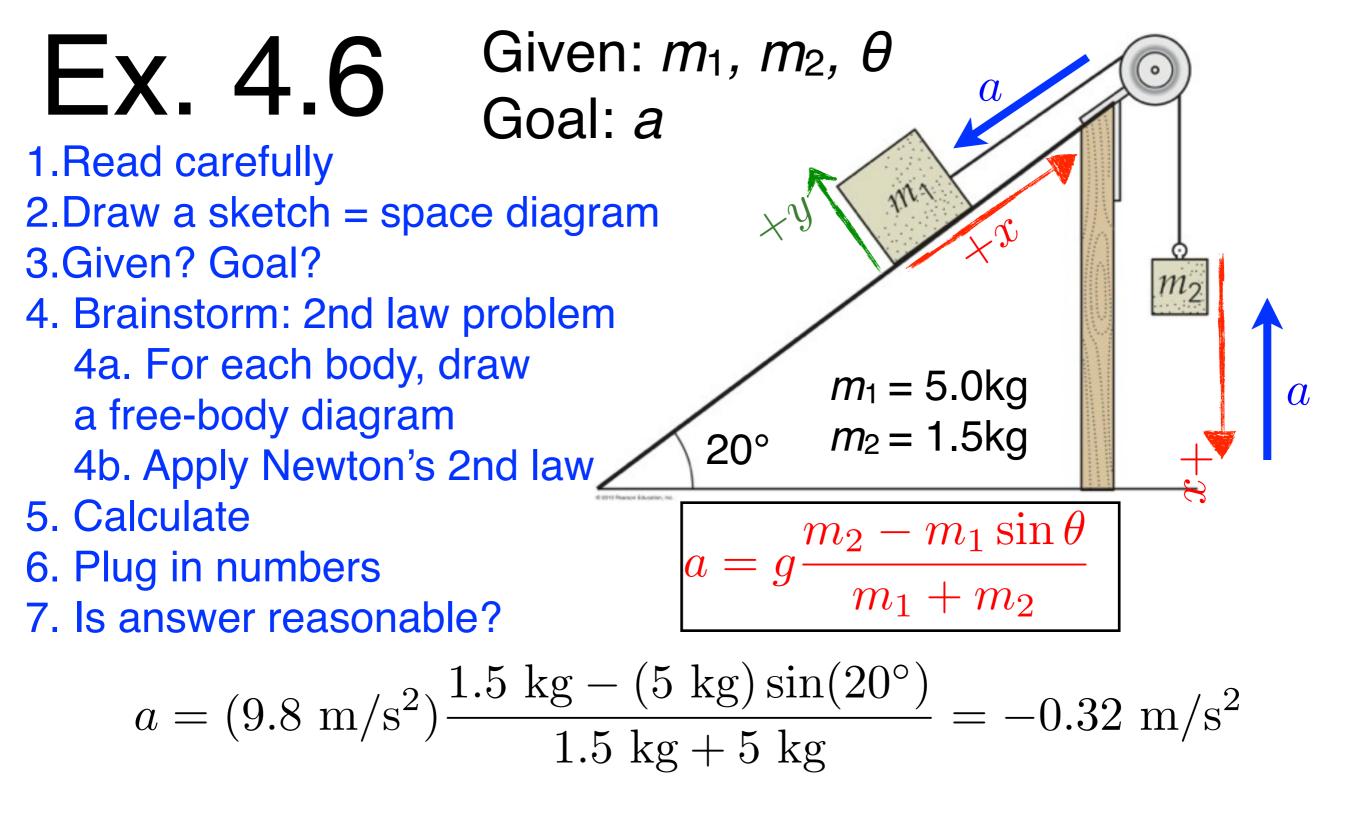
$$a = g \frac{m_2 - m_1 \sin \theta}{m_1 + m_2}$$











Lecture 11 outline

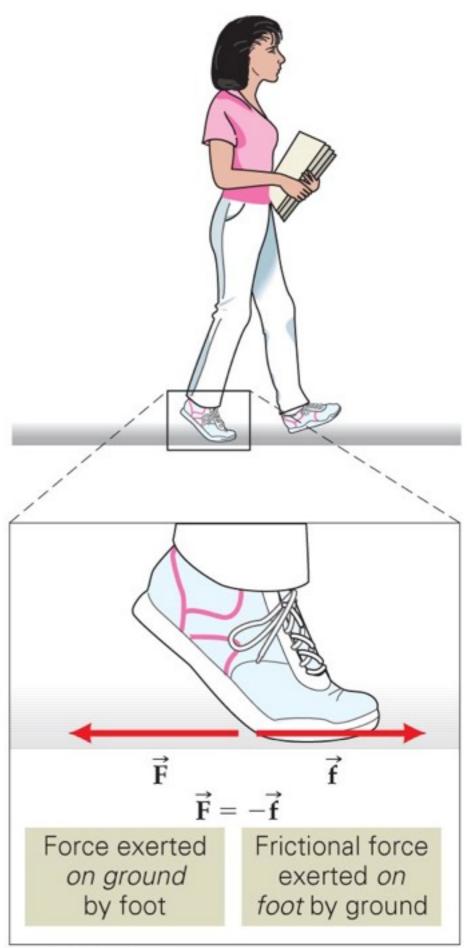
- Announcements
- Quantitative force examples
 - Free-body diagrams
 - Example: Atwood machine & ramp
- Friction & air resistance
 - How friction works
 - Example: friction
- Class participation

Friction

- Friction = force resisting motion when 2 materials are in contact
- Friction between solid surfaces
 - Origin: surfaces are rough (microscopically)
 - "High spots" on the surface temporarily bond

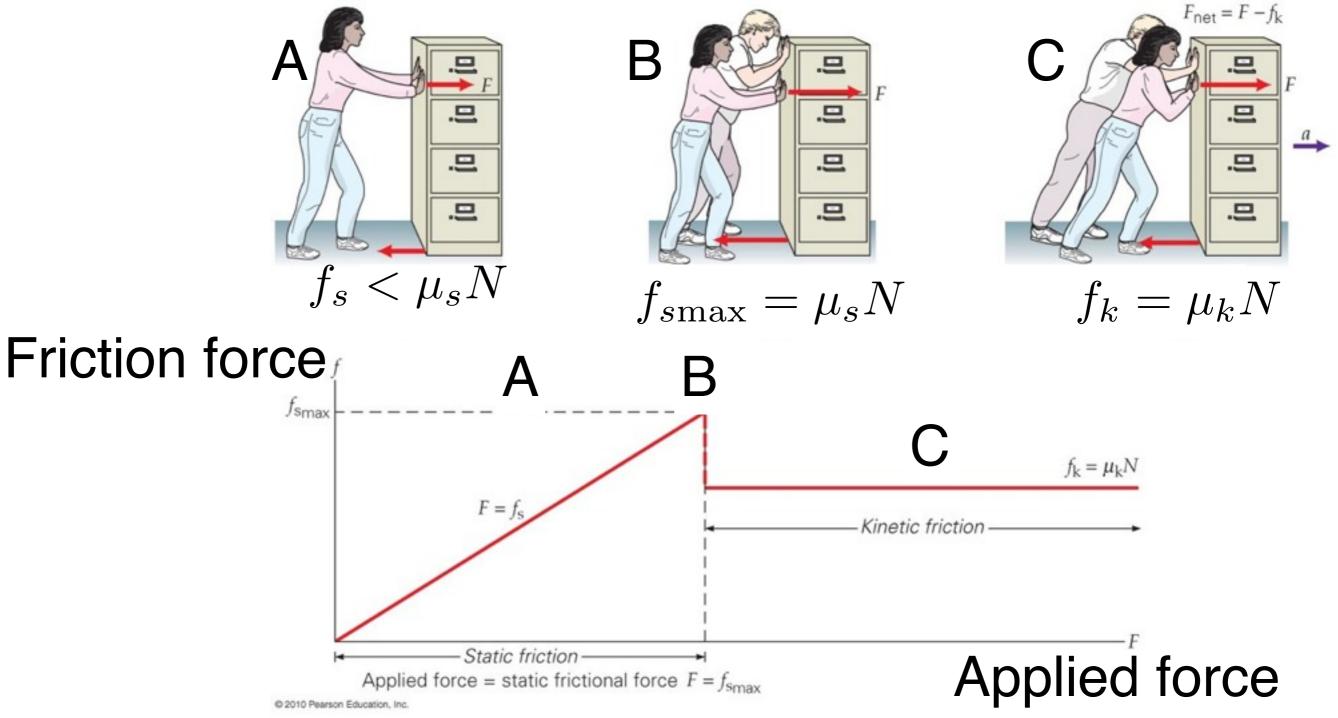






Types of friction

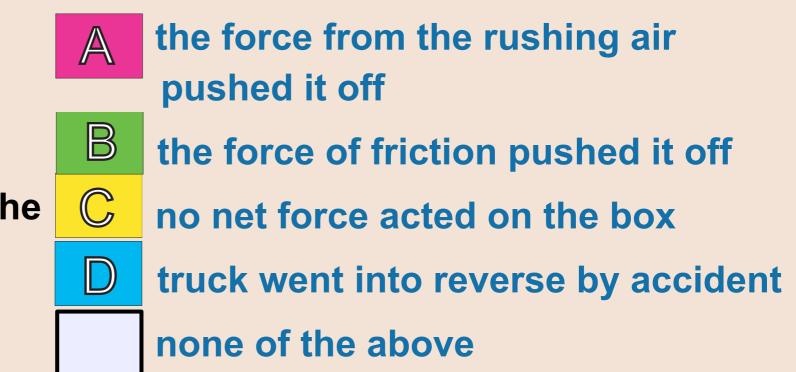
- Static: no relative motion of the surfaces
- Kinetic ("sliding"): surfaces slide



Clicker question #42

Question 4.19 Friction

A box sits in a pickup truck on a frictionless truck bed. When the truck accelerates forward, the box slides off the back of the truck because:



Clicker question #43

Question 4.22 Will It Budge?

A box of weight 100 N is at rest on a floor where $\mu_s = 0.4$. A rope is attached to the box and pulled horizontally with tension T = 30 N. Which way does the box move?



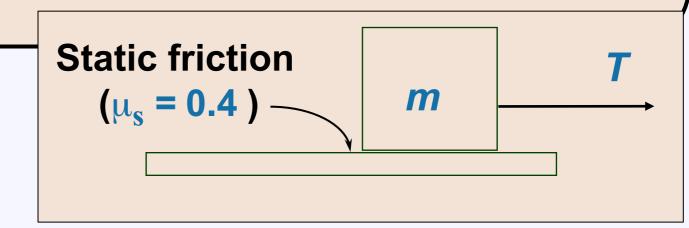
moves to the left



- moves to the right
- C moves up

 \square

- moves down
- the box does not move



Clicker question #45

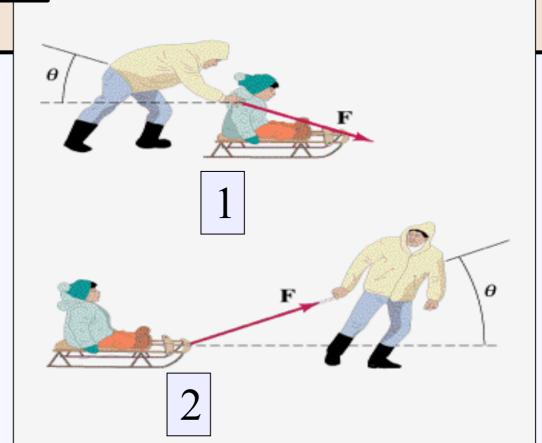
Question 4.21 Going Sledding

Your little sister wants you to give her a ride on her sled. On level ground, what is the easiest way to accomplish this?





pushing her from behind [1] pulling her from the front [2] both [1] and [2] are equivalent it is impossible to move the sled tell her to get out and walk



Class participation #10

- 0. Name
- 1. Draw a free-body diagram for example from the textbook:
 - A car is sliding through a puddle. Superman arrives at the last moment and tries to stop the car.
 - Hint: list all of the forces acting on the car. Then draw the diagram.

