

Name: \_\_\_\_\_

**Econ 135: Corporate Finance**  
Midterm Exam 2 Sample – Answer key

**Multiple Choice Questions (12 points)**  
Circle the right answer. Each question is worth 2 points.

- 1) Risk that affects a large number of assets, each to a greater or lesser degree, is called:
  - a) Idiosyncratic risk.
  - b) Diversifiable risk.
  - c) **Systematic risk.**
  - d) Asset-specific risk.
  - e) Total risk.
  
- 2) The appropriate discount rate to be used when analyzing an investment project is \_\_\_\_\_.
  - a) the rate of return that will result in the highest NPV
  - b) **the rate of return financial markets offer on investments of similar risk**
  - c) the internal rate of return on that investment
  - d) equal to the cost of capital based on the firm's historical assets
  - e) the rate of interest the firm would pay if it sold bonds
  
- 3) \_\_\_\_\_ refers to the net total cash flow of the firm accruing to its creditors and stockholders.
  - a) Operating cash flow
  - b) Capital spending
  - c) Net working capital
  - d) **Cash flow from assets**
  - e) Cash flow to creditors
  
- 4) The excess return required on a risky asset over that earned on a risk-free asset is called (a):
  - a) **Risk premium.**
  - b) Return premium.
  - c) Excess return.
  - d) Average return.
  - e) Variance.
  
- 5) The evaluation of a project based solely on its incremental cash flows is the basis of the:
  - a) Incremental cash flow method.
  - b) **Stand-alone principle.**
  - c) Dividend growth model.
  - d) After-tax salvage value analysis.
  - e) Discounted payback method.
  
- 6) Net present value \_\_\_\_\_.
  - a) is equal to the initial investment in a project
  - b) is equal to the present value of the project benefits
  - c) **is equal to zero when the discount rate used is equal to the IRR**
  - d) is simplified by the fact that future cash flows are easy to estimate
  - e) requires the firm set an arbitrary cutoff point for determining whether an investment is acceptable

## Numerical problems

Please **show all calculations**. If you're stuck, **assume a solution** to get full credit on a later part.

- 1) What is the expected return on asset A if it has a beta of 0.6, the expected market return is 15%, and the risk-free rate is 6%?

$$E(R) = 6 + .6 (15 - 6) = 11.4\%$$

- 2) (4 pts.) What is the before-tax cost of debt of a company that has two bonds outstanding?

Bond	Coupon rate	Years to maturity	YTM	Book value	Price	Market value	Weight
A	16%	25	12%	\$10m	1,315.24	13.1524	39.67%
B	10%	15	10%	\$20m	1,000.00	20	60.33%

$$P_A = 80 [(1 - 1/1.06^{50}) / .06] + 1,000 / 1.06^{50} = 1,315.24$$

$$r_D = 39.67\% * 12\% + 60.33\% * 10\% = 10.79\%$$

- 3) (6 pts.) You are examining two possible projects:

Project	Year 0	Year 1	Year 2	Year 3
A	-\$700	\$300	\$300	\$300
B	-\$950	\$400	\$400	\$450

- a) (3 pts.) With a payback cutoff of 2.5 years, which project is acceptable?

A: recover \$600 in 2 years + \$100 in \$100/300 = 0.33 years => 2.33 yrs.

B: recover \$800 in 2 years + \$150 in \$150/450 = 0.33 years => 2.33 yrs.

Answer: both

- b) (3 pts.) If the discount rate is 12% and the firm has limited funds and bases its investment decisions on the profitability index, which project is better?

Project A:  $PI = (300/1.12 + 300/1.12^2 + 300/1.12^3) / 700 = 720.55 / 700 = 1.029$ ;

Project B:  $PI = (400/1.12 + 400/1.12^2 + 450/1.12^3) / 950 = 996.32 / 950 = 1.049$

Based on the PI rule, project B is preferable.

- 4) (25 pts.) Your company is considering an investment in new manufacturing equipment. The equipment costs \$220,000 and will provide annual cost savings of \$50,000 at the end of each of the next 7 years. The equipment has an eight-year tax life and is depreciated straight to zero. Its market value is zero after 7 years. Assume the project is of approximately the same risk as the firm's existing operations. The firm's marginal tax rate is 35%. The following market data for your company is current:

Common stock: 1 million shares outstanding, \$40 per share, beta = 1.3

Bonds: 10,000 bonds outstanding, \$1,000 face value each, 6% coupon rate,  
4 years to maturity, market interest rate for similar bonds is 5%

Market: Market risk premium = 4.5%, risk-free rate = 3.5%

- a) (3 pts.) What is the cost of equity?

$$R_E = 3.5\% + 1.3 (4.5\%) = 9.35\%$$

- b) (2 pts.) What is the cost of debt (APR), before taxes?

Before tax cost of debt: 5% (=YTM, or market interest rate)

- c) (3 pts.) What is the market value of each bond?

$$P = 30/2.5\% [1 - 1/1.025^8] + 1,000/1.025^8 = 1,035.85$$

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- d) (5 pts.) What is the weighted average cost of capital?

Market value of equity = 1 million x 40 = 40,000,000

Market value of debt = 10,000 x 1,035.85 = 10,358,500

Total market value = 40,000,000 + 10,358,500 = 50,358,500

WACC = 9.35% (40,000,000/50,358,500) + 5% (10,358,500/50,358,500)(1-35%) = 8.1%

- e) (3 pts.) What is the after-tax salvage value of the equipment in year 7?

Book value in year 7 = 220,000/8 = 27,500

ATSV = 0 - .35 (0 - 27,500) = 9,625

- f) (3 pts.) What are operating cash flows in each year?

Cost savings	50,000
- Depreciation	-27,500
= EBIT	22,500
- Taxes	-7,875
+ Depreciation	27,500
= OCF	42,125

- g) (3 pts.) What are cash flows from assets in each year?

End of year	0	1	2	3	4	5	6	7
OCF		42,125	42,125	42,125	42,125	42,125	42,125	42,125
- NCS	-220,000							9,625
=CFFA	-220,000	42,125	42,125	42,125	42,125	42,125	42,125	51,750

- h) (3 pts.) What is the NPV of the proposed project? Should the company go ahead?

NPV = -\$220,000 + (42,125/.081) [(1 - 1/1.0817)] + 9,625/1.0817 = 4,150

Yes, the company should go ahead with the project.

## Equation sheet

### Cash flow calculations

OCF = EBIT + depreciation – taxes

OCF = (sales-costs)(1-T) + depreciation\*T (without interest)

Net capital spending = Ending NFA – beginning NFA + depreciation

Change in NWC = Ending NWC – beginning NWC

CFFA = OCF – net capital spending – change in NWC

CF to creditors = interest paid – net new borrowing

CF to stockholders = dividends paid – net new equity raised

### Some financial ratios

Current ratio = current assets / current liabilities

Quick ratio = (current assets – inventory)/current liabilities

Cash ratio = cash / current liabilities

Total debt ratio = (total assets – total equity) / total assets

Debt-equity ratio = total debt / total equity

Times interest earned ratio = EBIT/interest

Cash coverage ratio = (EBIT + depreciation) / interest

Inventory turnover = COGS / average inventory

Inventory period = 365 days / inventory turnover

A/R turnover = credit sales / average accounts receivable

A/R period = 365 days / accounts receivable turnover

A/P turnover = COGS / average accounts payable

A/P period = 365 days / accounts payable turnover

Operating cycle = inventory period + A/R period

Cash cycle = operating cycle – A/P period

### Other equations

$$\text{Internal growth rate} = \frac{ROA * b}{1 - ROA * b}$$

$$\text{Sustainable growth rate} = \frac{ROE * b}{1 - ROE * b}$$

$$\text{Annuity PV} = \frac{C}{r} \left( 1 - \frac{1}{(1+r)^t} \right)$$

$$\text{Perpetuity PV} = \frac{C}{r}$$

After-tax salvage = salvage – T<sub>C</sub>\*(salvage – book value)

Fisher effect: 1+r=(1+R)(1+h)

### Stock valuation

P<sub>0</sub>=(D<sub>1</sub>+P<sub>1</sub>)/(1+k)

Constant dividends: P<sub>0</sub>=D/k

$$\text{Dividend growth model: } P_t = \frac{D_t(1+g)}{k-g} = \frac{D_{t+1}}{k-g}$$

## Calculating returns and variability

Percentage return on stock:  $R = D_{t+1}/P_t + (P_{t+1} - P_t)/P_t$

Historical

$$\bar{R} = \frac{1}{n} \sum_{i=1}^n R_i$$

$$\sigma^2 = \frac{1}{n-1} \sum_{i=1}^n (R_i - \bar{R})^2$$

$$\sigma = \sqrt{\sigma^2}$$

Expected

$$E(R) = \sum_{i=1}^n p_i R_i$$

$$\sigma^2 = \sum_{i=1}^n p_i (R_i - E(R))^2$$

$$\sigma = \sqrt{\sigma^2}$$

### Portfolios

$$E(R_{P_i}) = \sum_{j=1}^m w_j E(R_{j_j})$$

$$E(R_P) = \sum_{i=1}^n p_i E(R_{P_i})$$

$$\sigma^2 = \sum_{i=1}^n p_i (E(R_{P_i}) - E(R_P))^2$$

$$\beta_P = \sum_{j=1}^m w_j \beta_j$$

### Capital market theory and the cost of capital

$$SML : E(R_M) - R_f = \frac{E(R_i) - R_f}{\beta_i}$$

$$CAPM : E(R_i) = R_f + \beta_i (E(R_M) - R_f)$$

$$WACC = \frac{E}{V} R_E + \frac{P}{V} R_P + \frac{D}{V} R_D (1 - T_C)$$

### Value of financial leverage

PV of interest tax shield = T<sub>C</sub>D

$$V_U = \frac{CFFA}{R} \quad \text{if CFFA is constant forever}$$

$$V_L = V_U + T_C D$$