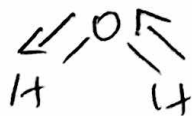
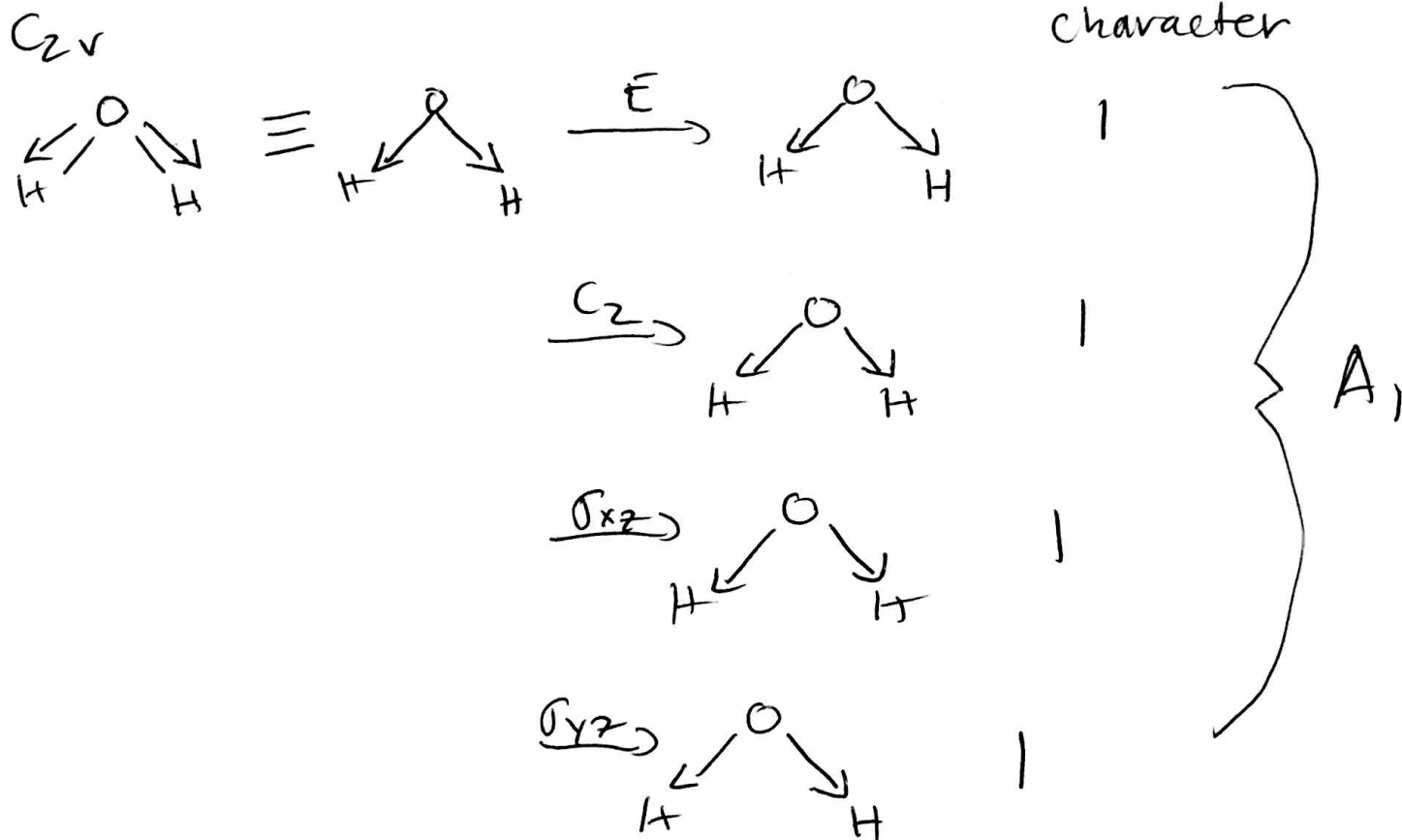
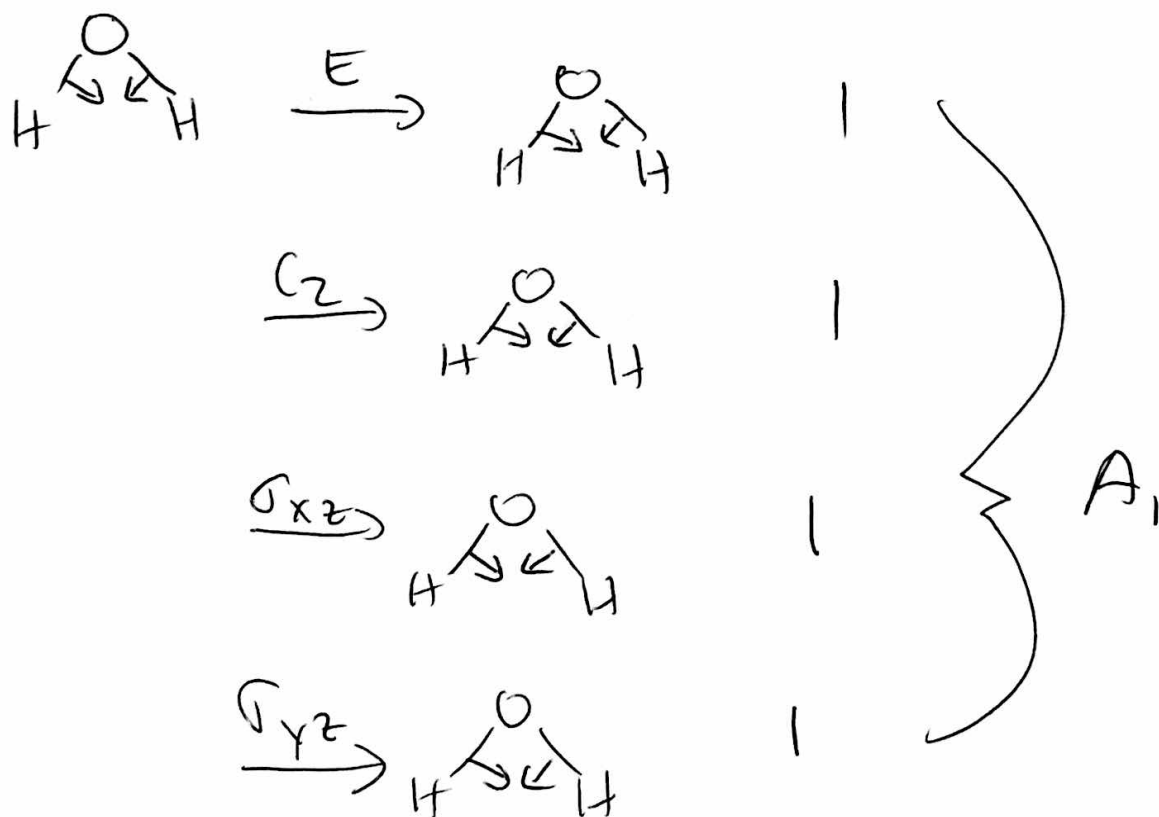
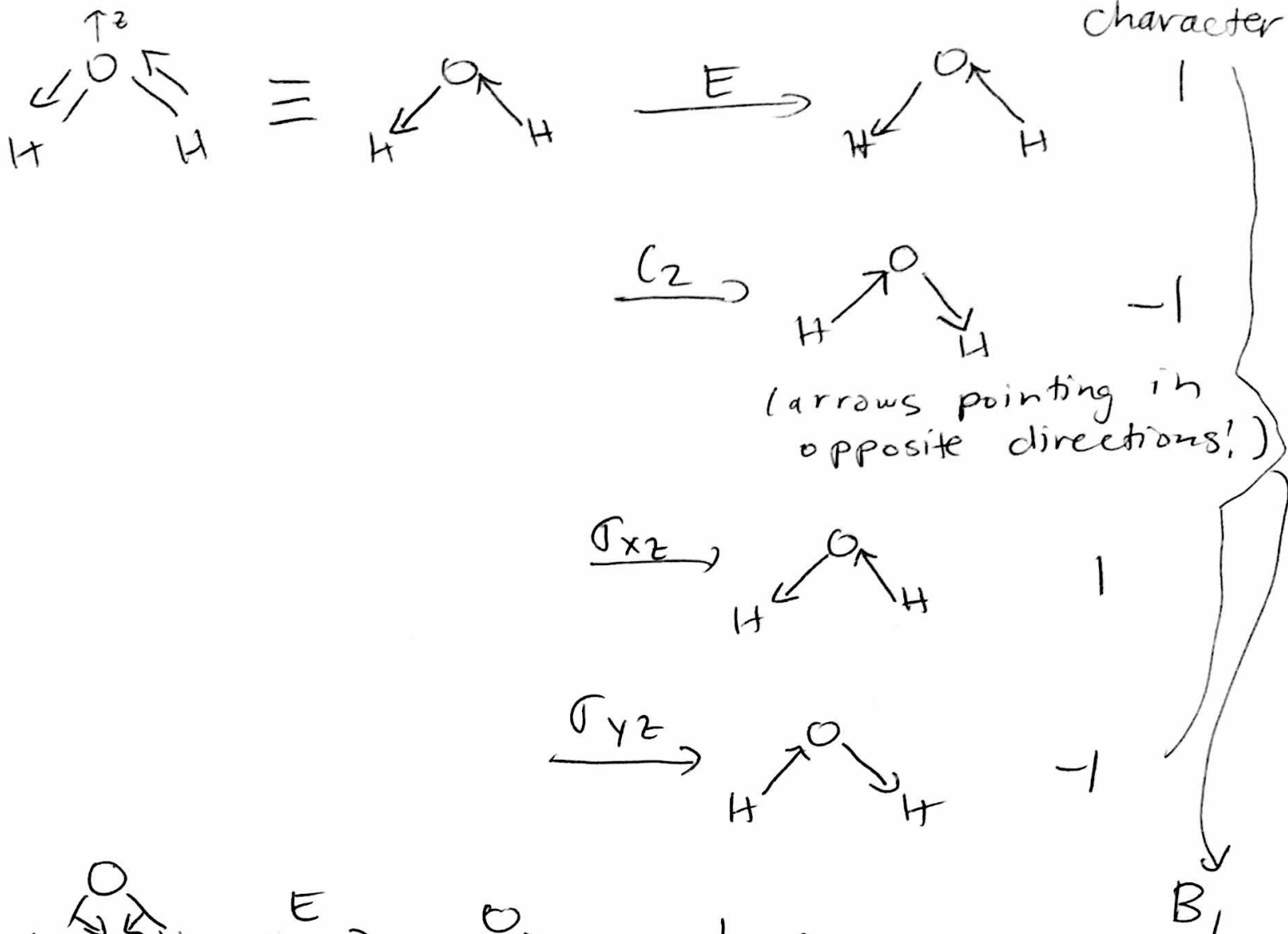


Symmetry of IR / Raman stretches:

 A_1  B_1  A_1

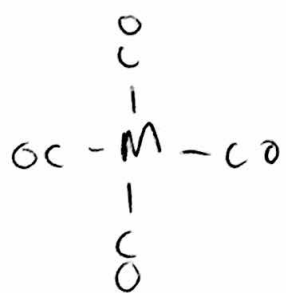
We can transform these just like orbitals and rotations





$M(CO)_4$ square planar

$$h=16$$



Γ_{CO}	E	$2C_4(z)$	$C_2(z)$	$2C_2'$	$2C_2''$	i	$2S_4$	σ_h	$2\sigma_v$	$2\sigma_d$
Γ_{CO}	4	0	0	2	0	0	0	4	2	0

↑ reducible representation for all the COs in your molecule

$$n(A_{1g}) = \frac{1}{16} (1(4)(1) + 2(0)(1) + 1(0)(1) + 2(2)(1) + 2(0)(1) + 1(0)(1) + 2(0)(1) + 1(4)(1) + 2(2)(1) + 2(0)(1)) = 1$$

$$n(A_{2g}) = \frac{1}{16} (1(4)(1) + 2(0)(1) + 1(0)(1) + 2(2)(-1) + 2(0)(-1) + 1(0)(1) + 2(0)(1) + 1(4)(1) + 2(2)(-1) + 2(0)(-1)) = 0$$

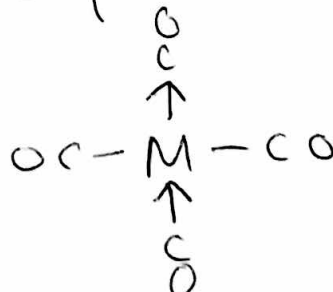
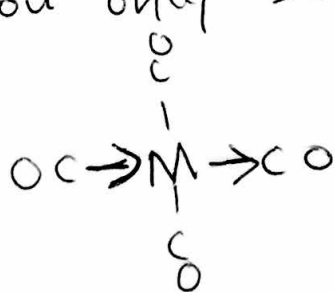
etc.

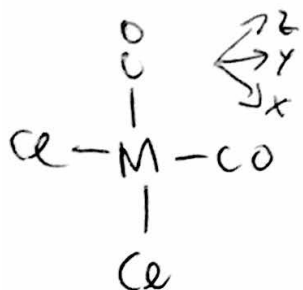
$$\Gamma_{CO} = A_{1g} + B_{1g} + E_u$$

$\uparrow \quad \quad \uparrow \quad \quad \uparrow$
 Raman Raman IR

You will see two Raman and one IR stretch.

However E_u is doubly degenerate, there are actually 2 vibrations described by E_u , however they're the same energy, so you only see one peak





C_{2v}	E	C_2	$\sigma_v(xz)$	$\sigma_v(xy)$
Γ_{CO}	2	0	2	0

$$\Gamma_{A_1} = \frac{1}{4} (1(2)(1) + 1(0)(1) + 1(2)(1) + 1(0)(1)) = 1$$

$$\Gamma_{A_2} = \frac{1}{4} (1(2)(1) + 1(0)(1) + 1(2)(-1) + 1(0)(-1)) = 0$$

$$\Gamma_{B_1} = \frac{1}{4} (1(2)(1) + 1(0)(-1) + 1(2)(1) + 1(0)(-1)) = 1$$

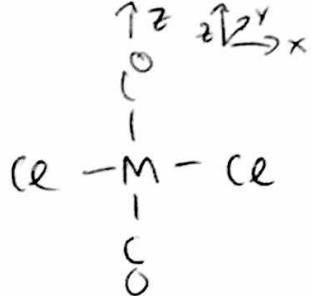
$$\Gamma_{B_2} = \frac{1}{4} (1(2)(1) + 1(0)(-1) + 1(2)(-1) + 1(0)(1)) = 0$$

$$\Gamma_{CO} = A_1 + B_1$$

$\uparrow$
IR + Raman

$\uparrow$
IR + Raman

$\Rightarrow$ 2 IR and 2 Raman
CO peaks



D_{2h}	E	$C_2(z)$	$C_2(y)$	$C_2(x)$	i	σ_{xy}	σ_{xz}	σ_{yz}
Γ_{CO}	2	2	0	0	0	0	2	2

$$n(A_g) = \frac{1}{8} (1(2)(1) + 1(2)(1) + 1(0)(1) + 1(0)(1) + 1(0)(1) + 1(0)(1) + 1(2)(1) + 1(2)(1)) = 1$$

$$\begin{array}{ccc} \Gamma_{\text{CO trans}} = A_g + B_{1u} & \Rightarrow & \begin{array}{l} \text{one IR and} \\ \text{one Raman} \\ \text{CO peak} \end{array} \\ \uparrow \quad \quad \uparrow & & \\ \text{Raman} \quad \text{IR} & & \end{array}$$

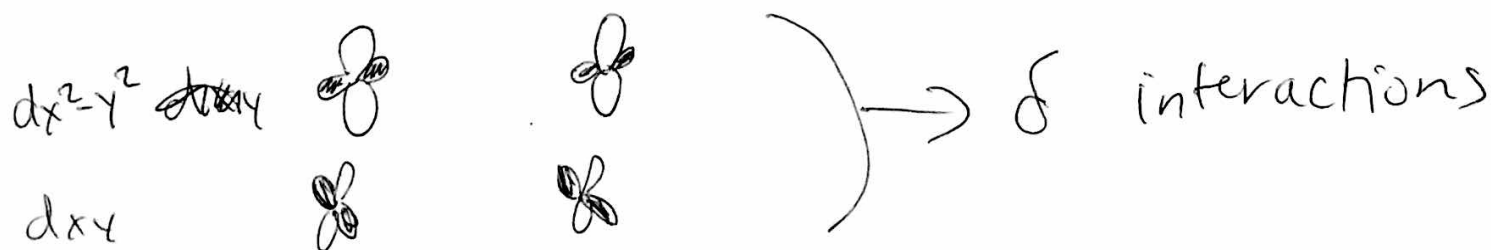
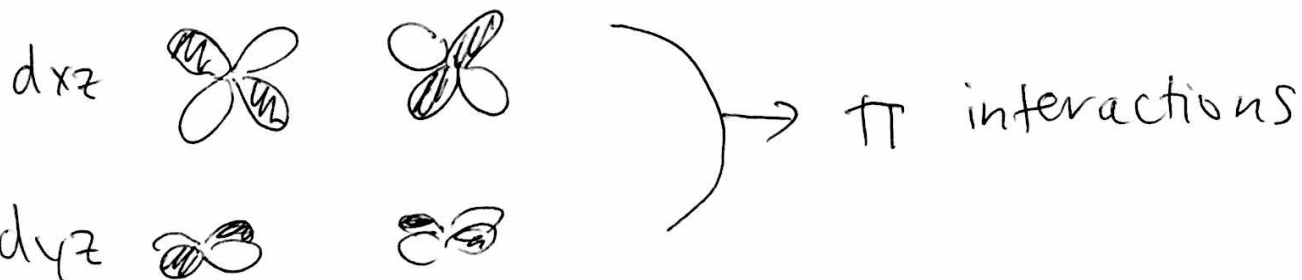
(exact representation may change depending on the coordinate axes you choose, but end result will be the same, ~~namely~~ namely you'll still get one Raman and one IR stretch)

Molecular orbitals

→ exact values of atomic orbital coefficients are not a focus of this class

$$\Psi_{MO} = C_a \Psi_a + C_b \Psi_b$$

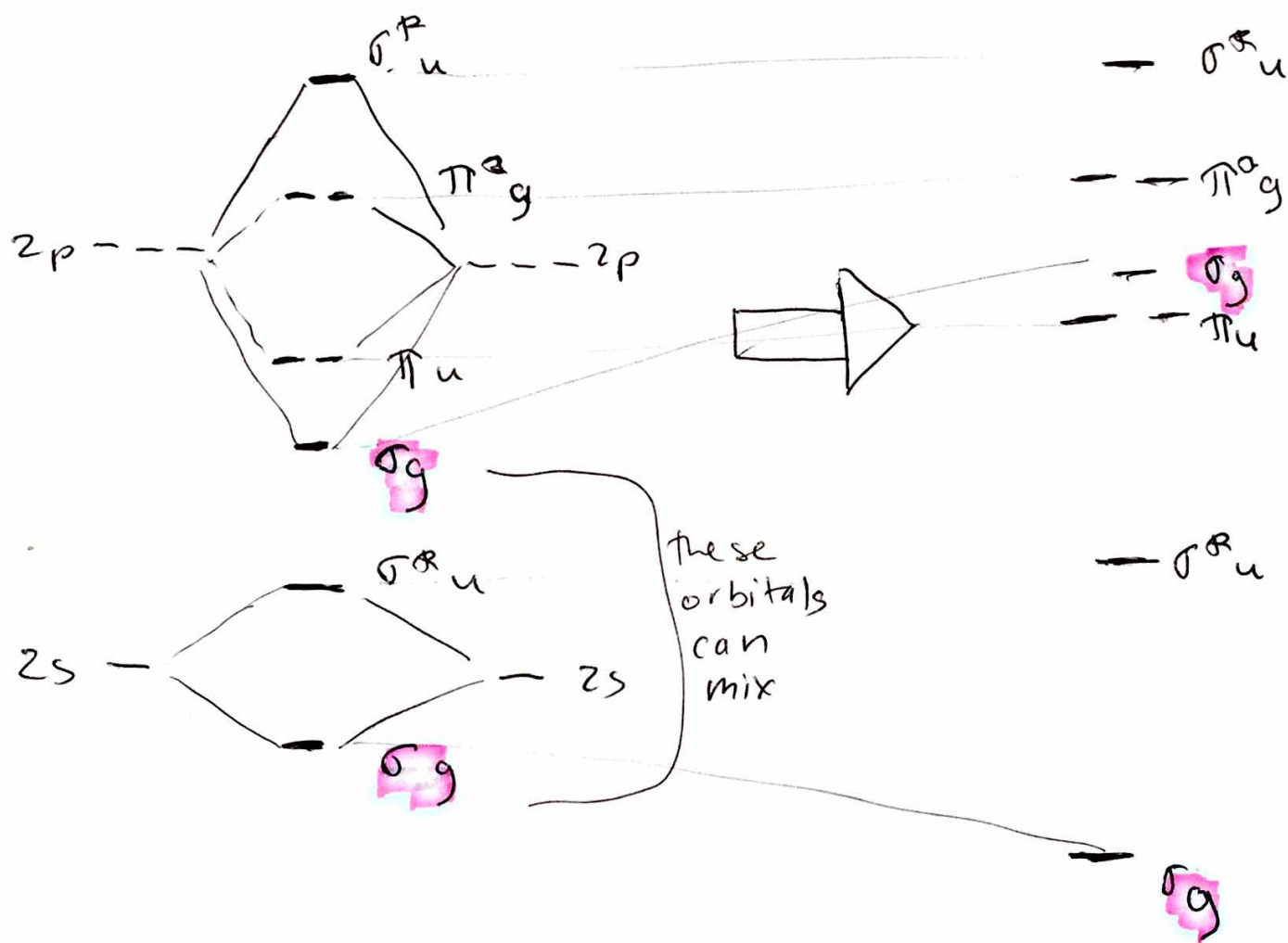
Ψ_{MO} is the molecular orbital.
 C_a is the coefficient for the atomic orbital from atom A (Ψ_a).
 C_b is the coefficient for the atomic orbital from atom B (Ψ_b).

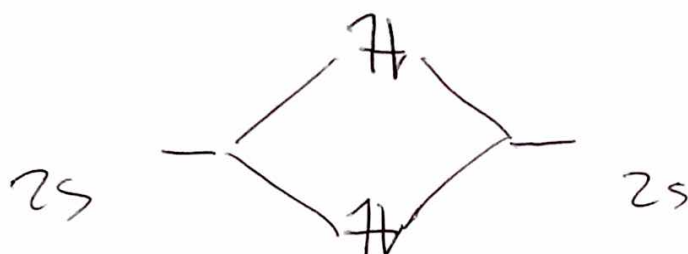
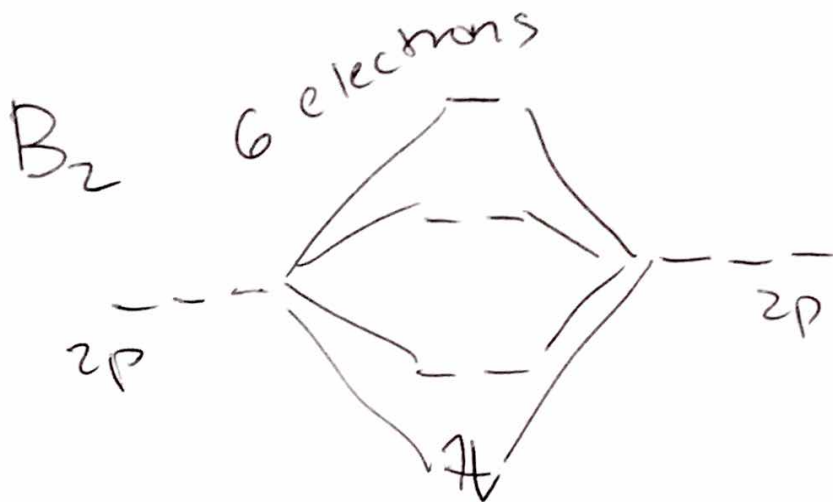


orbital mixing

→ molecular orbitals w/ similar symmetries that are close enough in energy can mix, resulting in stabilization of lower energy orbital and destabilization of higher energy orbital

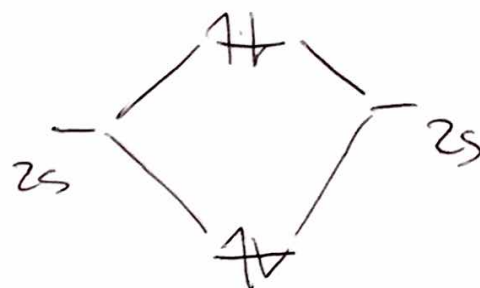
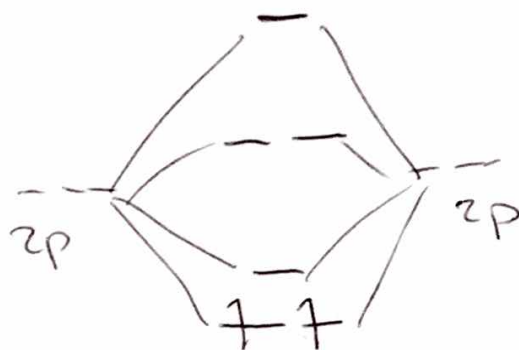
→ orbital energies are similar enough in Li_2 , Be_2 , B_2 , C_2 , and N_2 for this mixing to occur





if there is no
mixing

→ diamagnetic
(no unpaired
electrons)



with mixing

→ paramagnetic
(2 unpaired
electrons)

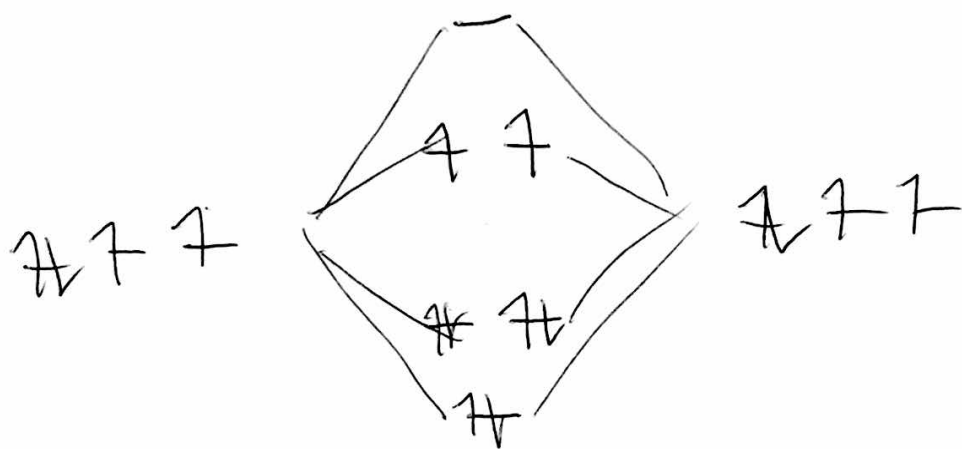
For C_2 8 electrons
with no mixing,
 C_2 is paramagnetic

w/ mixing
 C_2 is
diamagnetic

O₂ is paramagnetic?

↳ 12 electrons

$\cdot\ddot{O}=\ddot{O}\cdot$ Lewis dot structure
no indication that O₂ is
paramagnetic



MO diagram
explains
why O₂ is
paramagnetic

