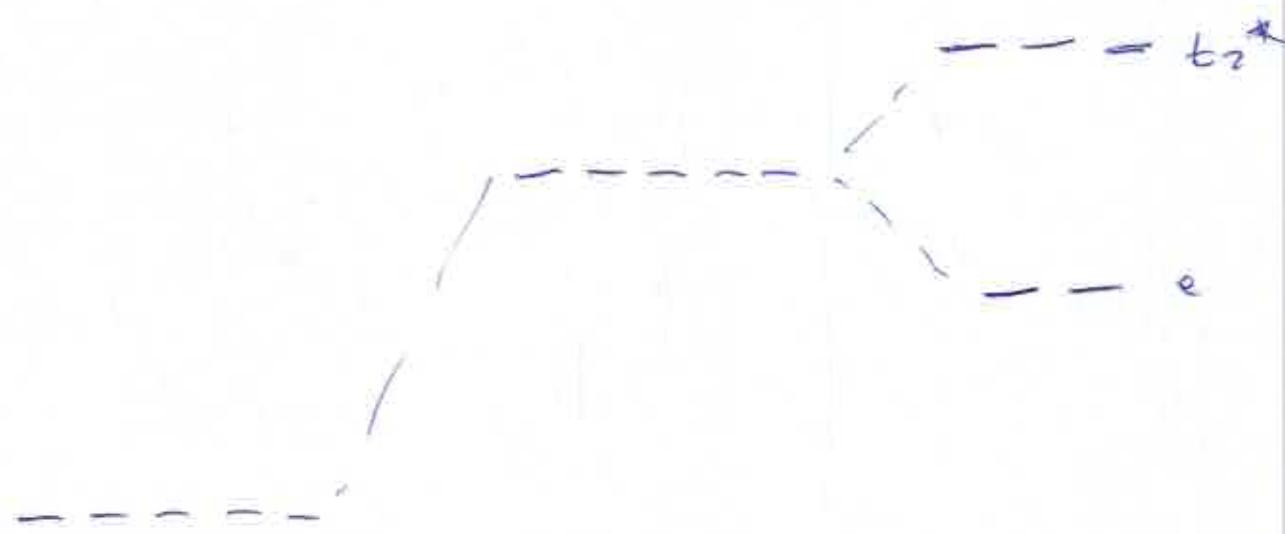


CH431 Lecture 17 10/25/16

Crystal field approach

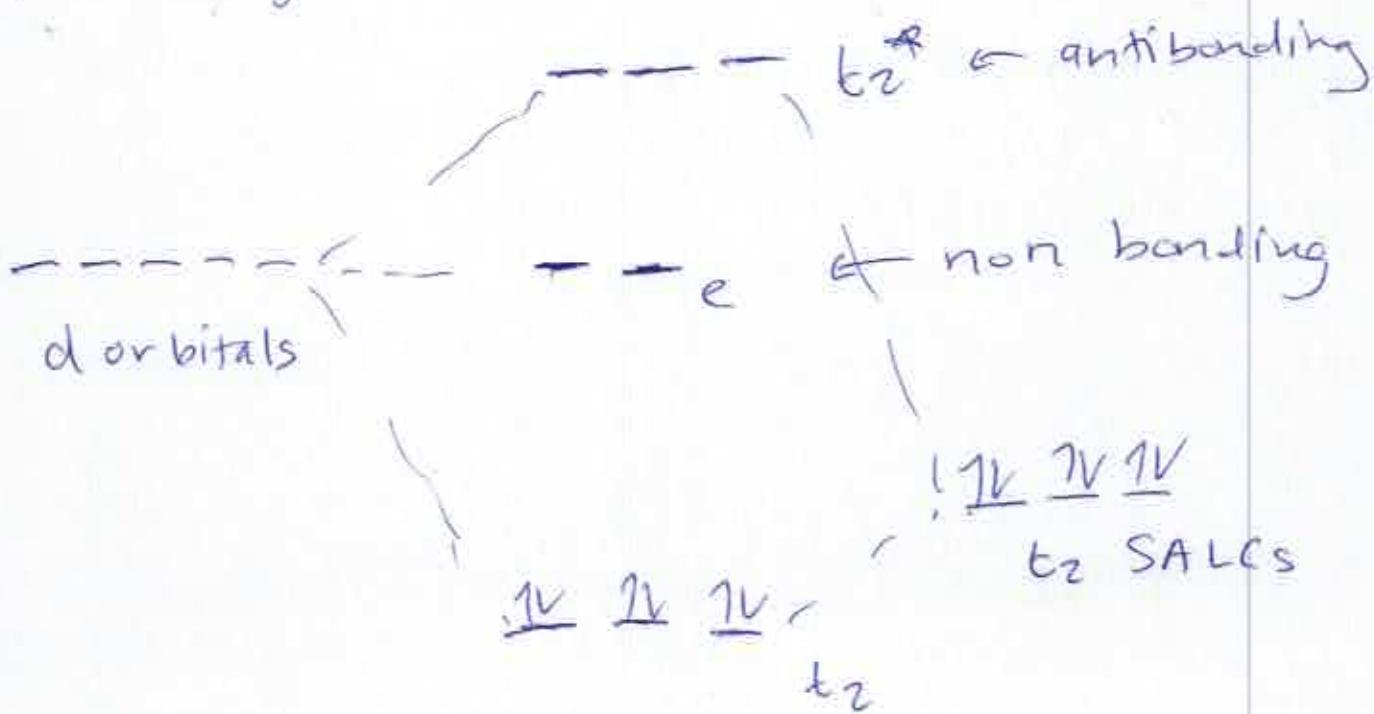


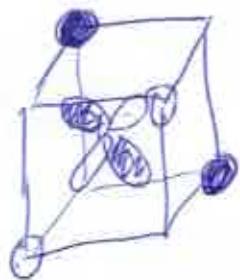
free d metal
ion
 d orbitals

metal
surrounded
by a sphere
of \ominus charge

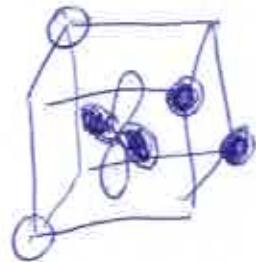
tetrahedral
geometry

MO diagram

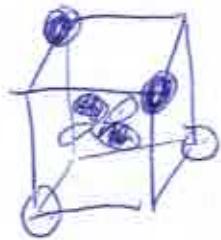




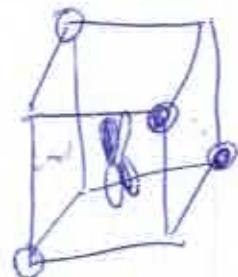
dxz
+ SALC
(bonding)



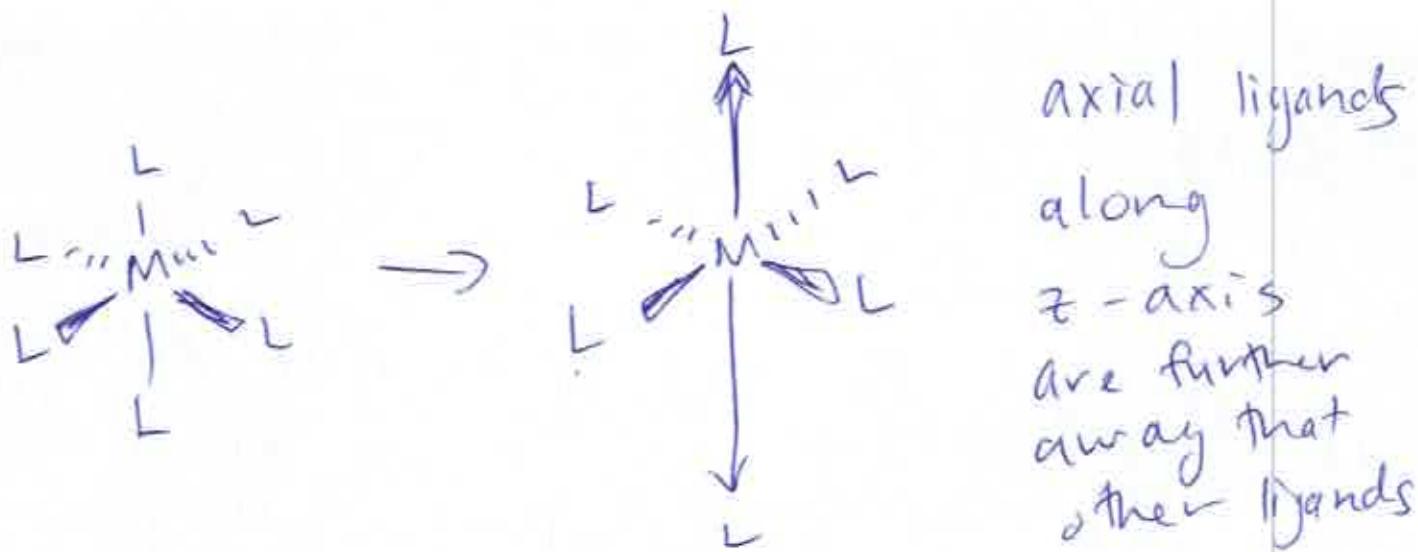
dyz
+ SALC
(bonding)



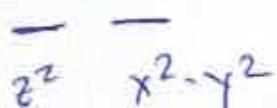
dxz
+ SALC
(bonding)



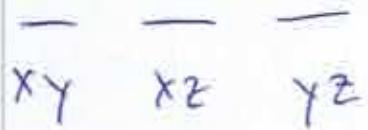
→ antibonding will have opposite shading



axial ligands
along
 z -axis
are further
away than
other ligands

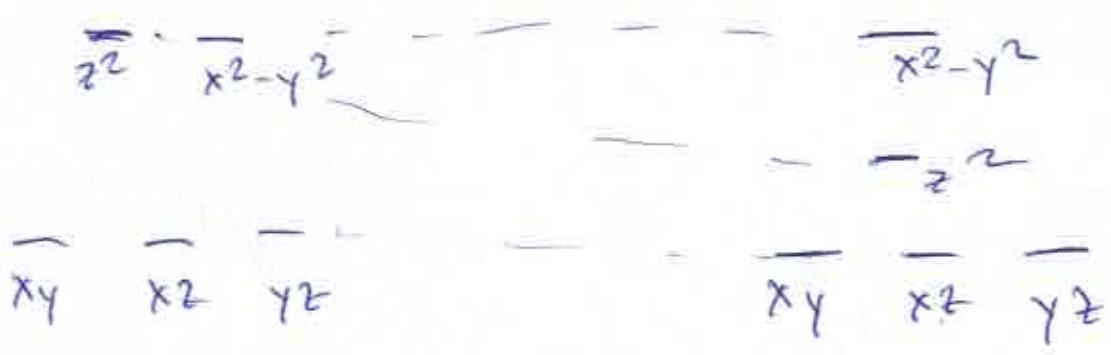


1) d_{z^2} will go down in energy
(less interaction w/ axial
ligands along z axis)



2) $d_{x^2-y^2}$ will have same
energy level, not
affected by z -axis
ligand changes

First approximation:



O_h

D_{4h}

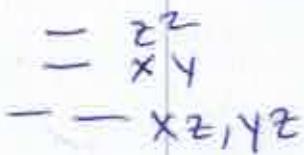
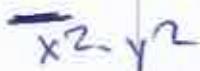
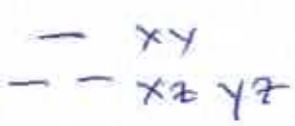
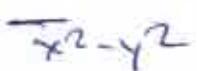
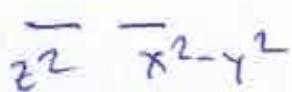
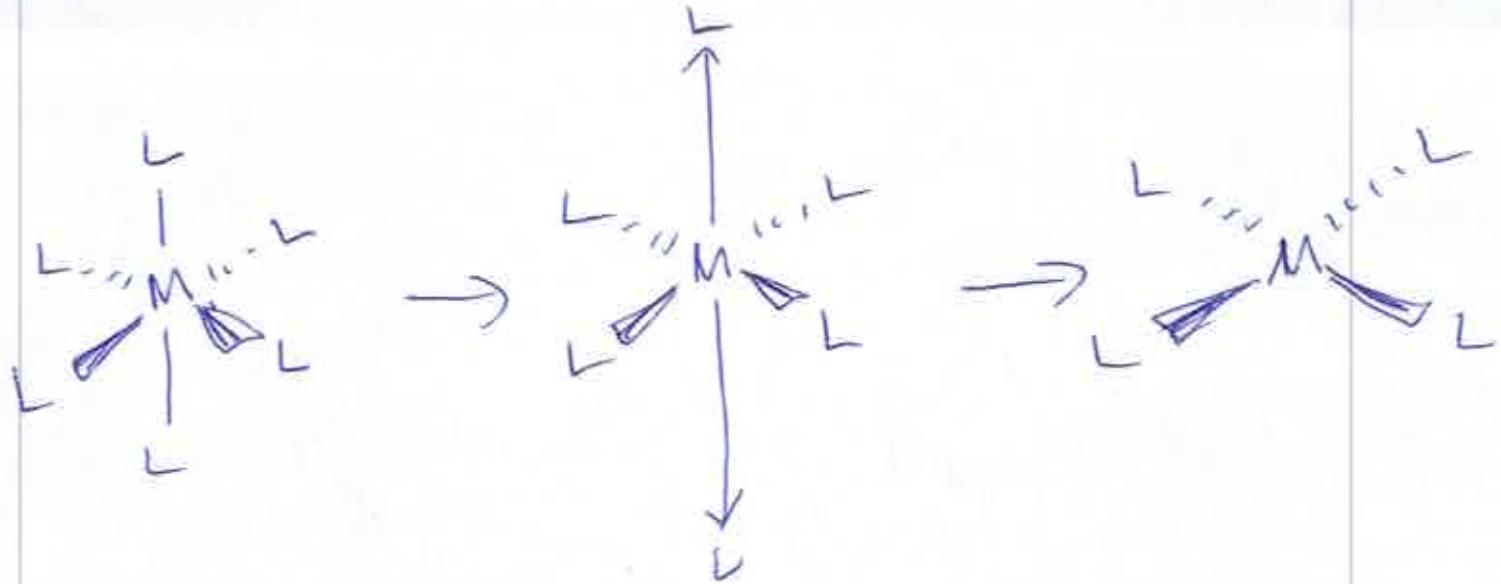
2nd approximation



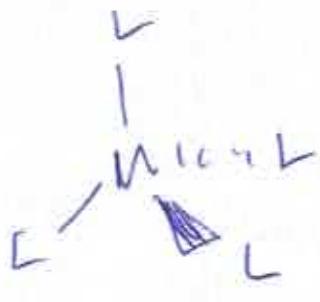
O_h

D_{4h}

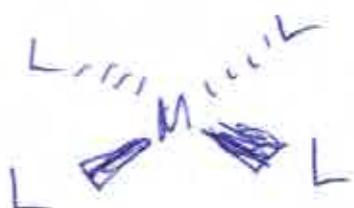
(some stabilization
due since z axis
ligands are further
away)



In square planar complexes, dx^2-y^2 is very destabilized relative to all the other orbitals since this is the only orbital w/ significant interactions with the ligands.



T_d



$\rightarrow x^2-y^2$

\overline{xy} \overline{xz} \overline{yz}

$\overline{z^2}$ $\overline{dx^2-y^2}$

$\overline{z^2}$
 \overline{xy}
 \overline{xz} \overline{yz}

If a metal ion only has 8 d electrons, it will often favor square planar because no electrons go into highly antibonding orbitals

1

#

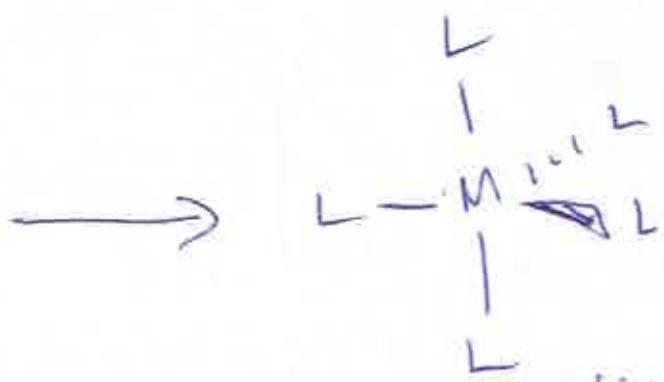
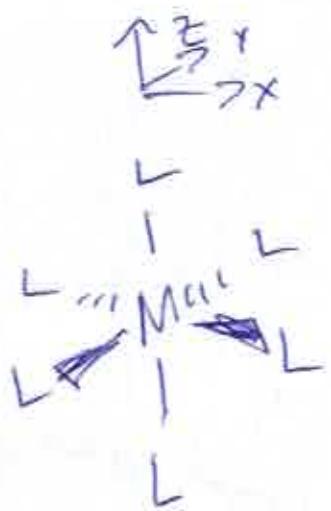
d⁸ in T_d

#

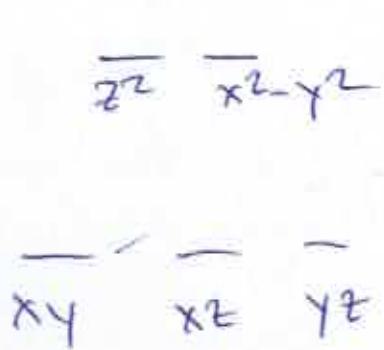
d⁸ in square planar
 \rightarrow no electrons go into $dx^2-y^2 \rightarrow$ low spin

* especially true for 4d and 5d metals w/ 8 d electrons

* 3d metals w/ 8 d electrons and pi acceptor ligands



trigonal bipyramidal
 D_{3h}



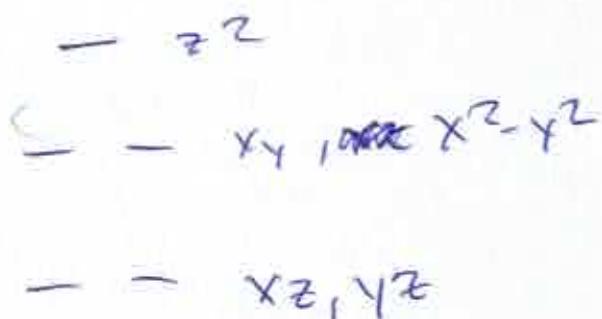
$- z^2$ (very antibonding)

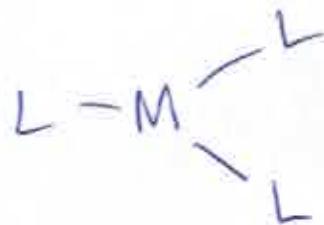
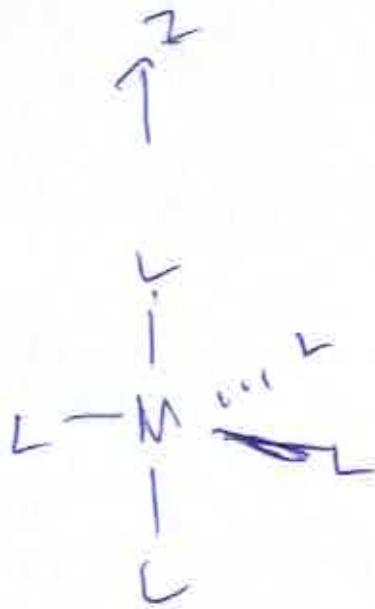
$\begin{array}{c} \overline{x^2-y^2} \\ \hline xy \end{array}$ (slightly less antibonding)

$\begin{array}{c} \overline{x^2-y^2} \\ \hline xz, yz \end{array}$ (non bonding)

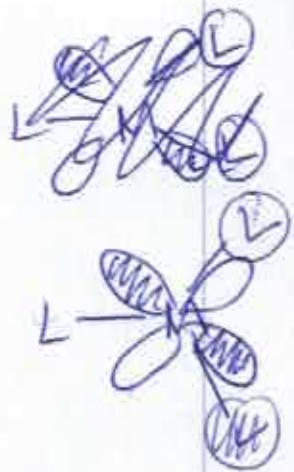


Pentagonal bipyramidal





$d_{x^2-y^2}$



d_{xy}