



Fundamental Data Types: Binary representation and Operators

Lecture overview

- Data types ←
- Integer representation
- Floating point representation
- Literals and variables
- Operators in C

Data type

- A **data type** (or simply **type**) is an attribute that classifies what type of data a variable can hold.
- Used to let the compiler know how the programmer intends to use the data, what operations can be applied, etc.

(Select) Fundamental data types in C

- Signed integers:

short

int

long (int)

long long (int)

- Unsigned integers:

char (discussed in 2 slides)

unsigned (int)

unsigned long (int)

unsigned long long (int)

- Floating point numbers:

float

double

long double

- Signed types are more commonly used than unsigned types.
- Each of the 3 categories has its **binary representation**.
- Different types within category vary in the space required to store it and in what it can hold.
- Other types (e.g., strings) are implemented using **pointers** (which we discuss in 2-3 weeks).

Data size

- Different data types take up a different amount of space
- The space required to store a type is **machine dependent**
- Use operator `sizeof(datatype)` to get # bytes.

- Default (integer) type in C is `int`
- Default floating point type in C is `double`

On our Linux server:

<code>char:</code>	1 byte
<code>short:</code>	2 bytes
<code>int:</code>	4 bytes
<code>unsigned:</code>	4 bytes
<code>long:</code>	8 bytes
<code>long long:</code>	8 bytes
<code>float:</code>	4 bytes
<code>double:</code>	8 bytes
<code>long double:</code>	16 bytes

Data type "char"

- ASCII = American Standard Code for Information Interchange
- char is an unsigned integer that holds ASCII values 0-255
- requires 1 byte
- Just like any other integer type, so you can apply any integer operation (e.g. 'c'+1 ('= 'd'))

0	<NUL>	32	<SPC>	64	@	96	`	128	À	160	†	192	¿	224	‡
1	<SOH>	33	!	65	A	97	a	129	Á	161	°	193	ı	225	•
2	<STX>	34	"	66	B	98	b	130	Ç	162	¢	194	¬	226	,
3	<ETX>	35	#	67	C	99	c	131	È	163	£	195	√	227	„
4	<EOT>	36	\$	68	D	100	d	132	Ñ	164	§	196	f	228	‰
5	<ENQ>	37	%	69	E	101	e	133	Ö	165	•	197	≈	229	Â
6	<ACK>	38	&	70	F	102	f	134	Ü	166	¶	198	Δ	230	Ê
7	<BEL>	39	'	71	G	103	g	135	á	167	β	199	«	231	Á
8	<BS>	40	(72	H	104	h	136	à	168	®	200	»	232	Ë
9	<TAB>	41)	73	I	105	i	137	â	169	©	201	...	233	È
10	<LF>	42	*	74	J	106	j	138	ä	170	™	202		234	Í
11	<VT>	43	+	75	K	107	k	139	ã	171	'	203	À	235	Î
12	<FF>	44	,	76	L	108	l	140	å	172	¨	204	Ã	236	Ï
13	<CR>	45	-	77	M	109	m	141	ç	173	≠	205	Õ	237	Ì
14	<SO>	46	.	78	N	110	n	142	é	174	Æ	206	Œ	238	Ó
15	<SI>	47	/	79	O	111	o	143	è	175	Ø	207	œ	239	Ô
16	<DLE>	48	0	80	P	112	p	144	ê	176	∞	208	-	240	•
17	<DC1>	49	1	81	Q	113	q	145	ë	177	±	209	—	241	◊
18	<DC2>	50	2	82	R	114	r	146	ì	178	≤	210	"	242	Ú
19	<DC3>	51	3	83	S	115	s	147	í	179	≥	211	"	243	Û
20	<DC4>	52	4	84	T	116	t	148	î	180	¥	212	`	244	Ü
21	<NAK>	53	5	85	U	117	u	149	ï	181	μ	213	'	245	ı
22	<SYN>	54	6	86	V	118	v	150	ñ	182	ð	214	÷	246	ˆ
23	<ETB>	55	7	87	W	119	w	151	ó	183	Σ	215	◊	247	˜
24	<CAN>	56	8	88	X	120	x	152	ò	184	Π	216	ÿ	248	—
25		57	9	89	Y	121	y	153	ô	185	π	217	ÿ	249	˘
26	<SUB>	58	:	90	Z	122	z	154	ö	186	ƒ	218	/	250	˙
27	<ESC>	59	;	91	[123	{	155	ø	187	ª	219	€	251	˚
28	<FS>	60	<	92	\	124		156	ú	188	º	220	<	252	¸
29	<GS>	61	=	93]	125	}	157	ù	189	Ω	221	>	253	”
30	<RS>	62	>	94	^	126	~	158	û	190	æ	222	fi	254	˚
31	<US>	63	?	95	_	127		159	ü	191	ø	223	fi	255	˚

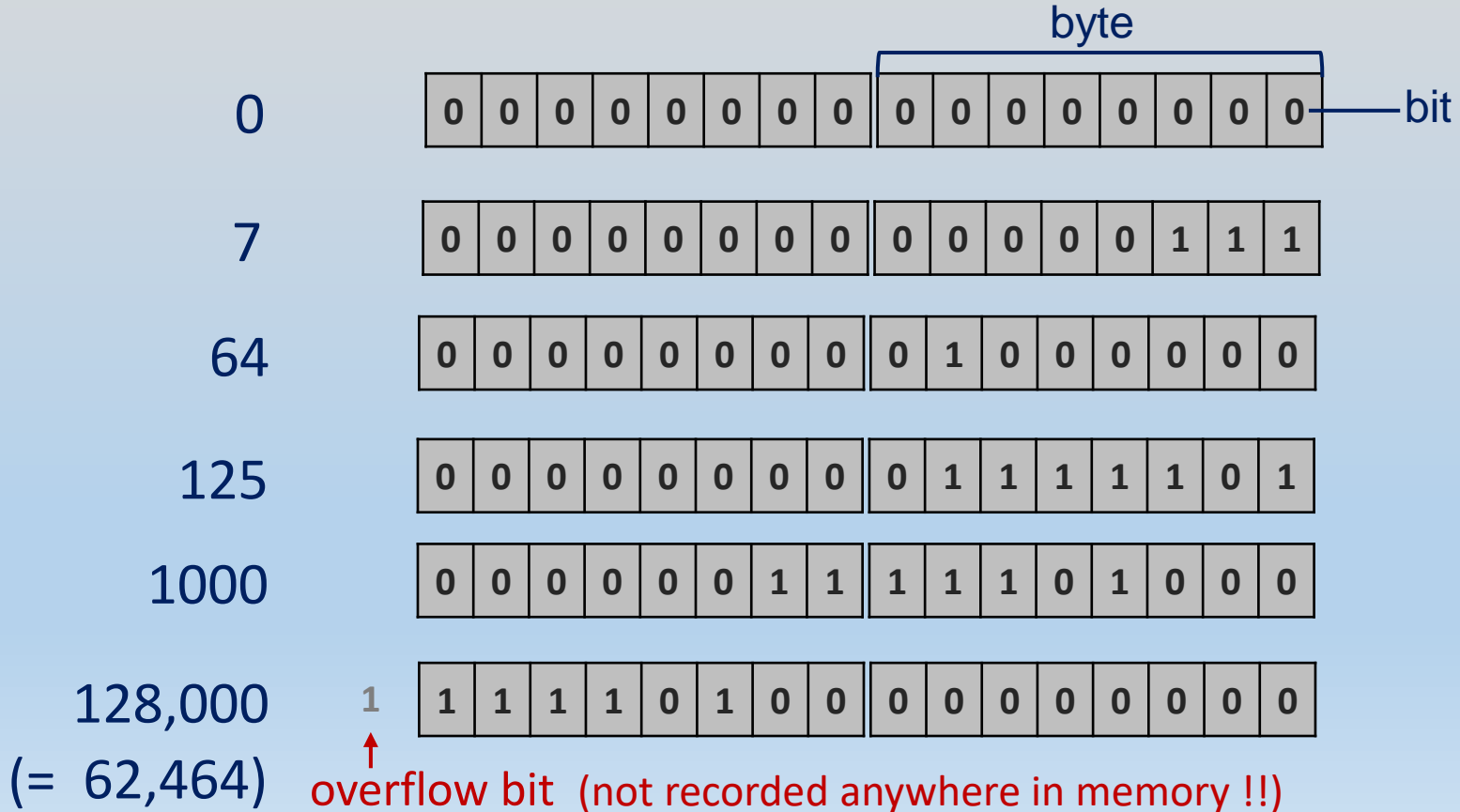
Lecture overview

- Data types
- Integer representation ←
- Floating point representation
- Literals and variables
- Operators in C

Binary representation

Unsigned integer types are used to hold non-negative numbers

- unsigned short int: (2 bytes)



Integer representation intervals

- An unsigned integer type that takes k bytes represents integer numbers in $0 \dots 2^{8k}-1$ (only non-negative values)

Unsigned interval:

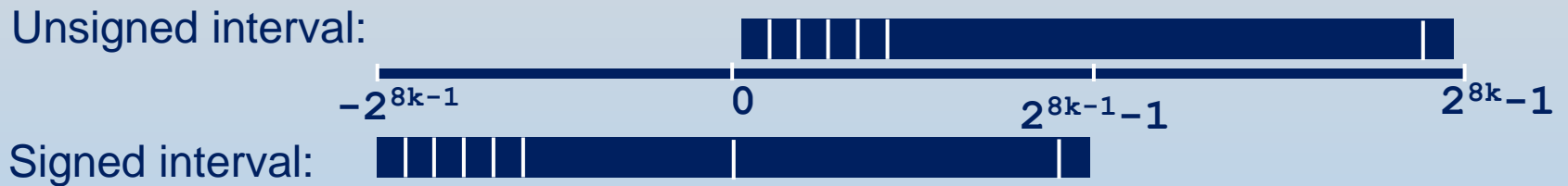


- Examples: (assuming type size that's on our server)

char:	numbers in $0 \dots 2^8-1$	(max=255)
unsigned short:	numbers in $0 \dots 2^{16}-1$	(max=65,535)
unsigned int:	numbers in $0 \dots 2^{32}-1$	(max \approx 4e+9)

Integer representation intervals

- An unsigned integer type that takes k bytes represents integer numbers in $0 \dots 2^{8k}-1$ (only non-negative values)
- Negative integers can be represented in **signed types** by “shifting” the range of representation:

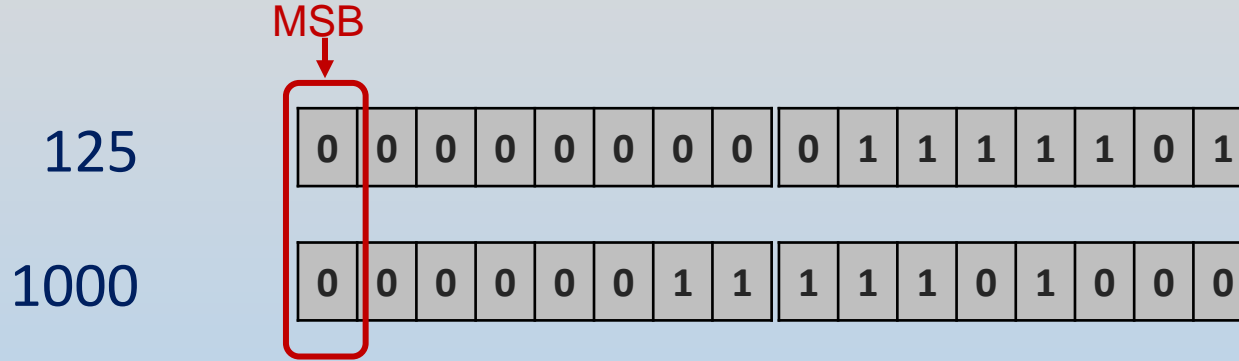


- **Examples:** (assuming type size that’s on our server)
 - signed short: numbers in $-2^{15} \dots 2^{15}-1$ (max=32,767)
 - signed int: numbers in $-2^{31} \dots 2^{31}-1$ (max≈2e+9)

By default, integer types are signed; unsigned types are typically avoided

Binary representation

- **Positive numbers** are represented as in unsigned types with the most significant bit (MSB) = 0



- **Negative numbers** are represented with MSB = 1. But what values are put into the other bits? Answer: negative numbers are represented in **2's complement**.

Two's complement for negative numbers

We require that $x + (-x)$ will result in 0 in regular binary vector addition:

	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1
1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1
+																
-1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1
	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0

Two's complement for negative numbers

We require that $x + (-x)$ will result in 0 in regular binary vector addition:

$$\begin{array}{r}
 1 \\
 + \\
 -1 \\
 \hline
 \end{array}
 \begin{array}{|c|c|c|c|c|c|c|c|} \hline 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ \hline \end{array}
 \begin{array}{|c|c|c|c|c|c|c|c|} \hline 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1 \\ \hline \end{array}$$

$$\begin{array}{|c|c|c|c|c|c|c|c|} \hline 1 & 1 & 1 & 1 & 1 & 1 & 1 & 1 \\ \hline \end{array}
 \begin{array}{|c|c|c|c|c|c|c|c|} \hline 1 & 1 & 1 & 1 & 1 & 1 & 1 & 1 \\ \hline \end{array}$$

$$\begin{array}{|c|c|c|c|c|c|c|c|} \hline 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ \hline \end{array}
 \begin{array}{|c|c|c|c|c|c|c|c|} \hline 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ \hline \end{array}$$

Two's complement for negative numbers

We require that $x + (-x)$ will result in 0 in regular binary vector addition:

125	0	0	0	0	0	0	0	0	0	1	1	1	1	1	0	1
+																
-125	?	?	?	?	?	?	?	?	?	?	?	?	?	?	?	?
	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0

Two's complement for negative numbers

We require that $x + (-x)$ will result in 0 in regular binary vector addition:

125	0	0	0	0	0	0	0	0	0	1	1	1	1	1	0	1	
+																	
-126	1	1	1	1	1	1	1	1	1	0	0	0	0	0	0	1	0
-1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1

- A **vector's complement** is obtained by flipping all bits (0→1, 1→0)
- A vector + its complement equals -1

Two's complement for negative numbers

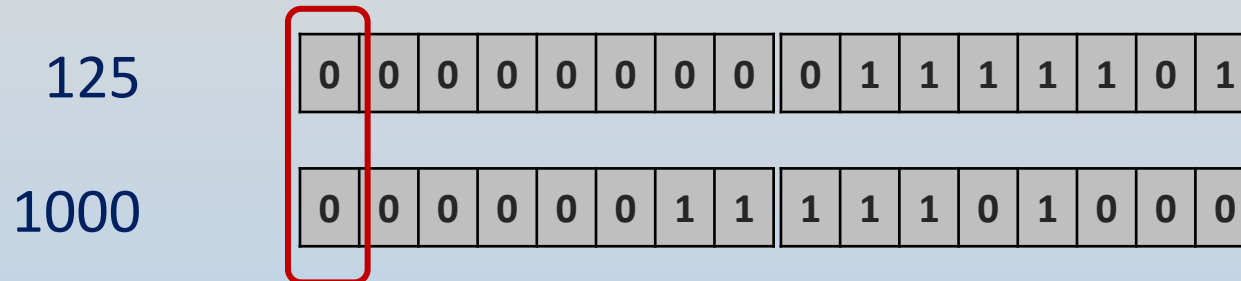
We require that $x + (-x)$ will result in 0 in regular binary vector addition:

125	0	0	0	0	0	0	0	0	0	0	1	1	1	1	1	0	1	
+																		
-125	1	1	1	1	1	1	1	1	1	1	0	0	0	0	0	0	1	1
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0

- A vector's complement is obtained by flipping all bits (0→1, 1→0)
 - A vector + its complement equals -1
- ➔ $-x = (\text{complement of } x) + 1$

Binary representation

- **Positive numbers** are represented as in unsigned types with the most significant bit (MSB) = 0

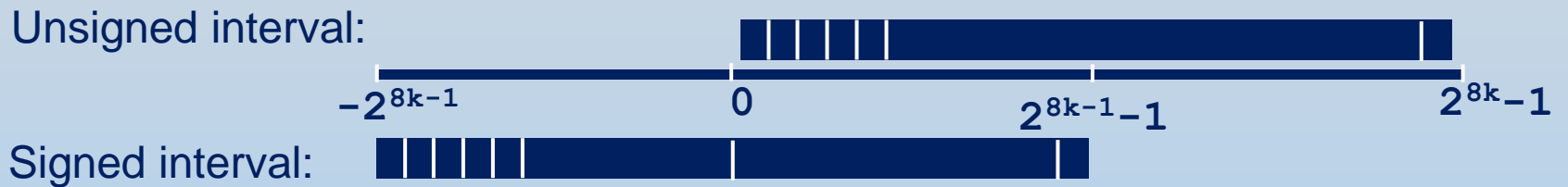


- **Negative numbers** are represented in 2s complement



Integer representation intervals

- An unsigned integer type that takes k bytes represents integer numbers in $0 \dots 2^{8k}-1$ (only non-negative values)
- Negative integers can be represented in **signed types** by “shifting” the range of representation:



- **Overflow in both unsigned and signed types results in “wrapping” around the representation interval**

Alternative bases

It is sometimes useful to express the bit content of an integer type directly using power-2 bases

1000



1 7 5 0

01750

leading zero indicates octal representation

Base 8 (octal):

- Each octal digit (**0-7**) captures 3 bits

Alternative bases

It is sometimes useful to express the bit content of an integer type directly using power-2 bases

1000



0x3e8

3

e

8

leading 0x indicates hex. representation

Base 16 (hexadecimal):

- Each octal digit (**0-9,a-f**) captures 4 bits
- Hex representation is useful because each byte is captured by 2 hex digits

Online poll

What is the **octal** representation of decimal 40?

- 40
- 101000
- 50
- 28

What is the **hexadecimal** representation of decimal 40?

- 40
- 101000
- 50
- 28

What is the **hexadecimal** representation of decimal 30?

- 30
- 36
- 1E
- 1D

What is the character value of 'G'+3?

- 'j'
- 'J'
- **Syntax error**
- 59
- 3

What is the character value of 'G'+250?

- 't'
- 'G'
- 'A'
- **Syntax error**
- 250

Online poll – solutions

What is the octal representation of decimal 40?

- 40
- 101000
- 50 ← ($40 = \underline{5} \times 8^1 + \underline{0} \times 8^0$)
- 28

Online poll – solutions

What is the hexadecimal representation of decimal 40?

- 40
- 101000
- 50
- 28 ← ($40 = \underline{2} \times 16^1 + \underline{8} \times 16^0$)

Online poll – solutions

What is the hexadecimal representation of decimal 30?

- 30
- 36
- 1E ← ($30 = \underline{1} \times 16^1 + \underline{14} \times 16^0$
and 14 is represented by hex digit E)
- 1D

Online poll – solutions

What is the character value of 'G' +3?

- 'j'
- 'J' ← (ASCII values of letters are consecutive)
- `Syntax error`
- 59
- 3

Online poll – solutions

What is the character value of 'G' +250?

- 't'
- 'G'
- 'A' ← (250 is equivalent to -6 in char, since representation has 8 bits and $2^8=256$)
- `Syntax error`
- 250

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Floating point representation

Recall scientific notation in **decimal base**:

$$\begin{array}{l} 1.940 \times 10^{-7} \\ 7.345 \times 10^3 \end{array} \left[\begin{array}{l} \text{when using } e=1 \text{ digits for exponent} \\ \text{and } m=4 \text{ digits for mantissa} \end{array} \right]$$

mantissa $\times 10^{\text{exponent}}$

exponent – integer in range $[-N, N]$ where $N=10^e-1$ (e.g., $N=99$ if $e=2$)

- Determines the range of represented numbers:

- Largest number is $9.999 \times 10^N \approx 10^{N+1}$

- Smallest number (>0) is $1.000 \times 10^{-N} = 10^{-N}$

mantissa – number in the range $[1,10)$

- Determines relative precision, which is constant (10^{-m}) regardless of the scale of number

- Can be represented by integer in range $[10^{m-1}, 10^m)$ (divided by 10^{m-1})

Floating point representation

Scientific notation in **binary base**:

$$\textit{mantissa} \times 2^{\textit{exponent}} \left[\begin{array}{l} \text{when using } e \text{ bits for exponent} \\ \text{and } m \text{ bits for mantissa} \end{array} \right]$$

exponent – integer in range $[-N, N]$ where $N=2^{e-1}-1$ (e.g., $N=127$ if $e=8$)

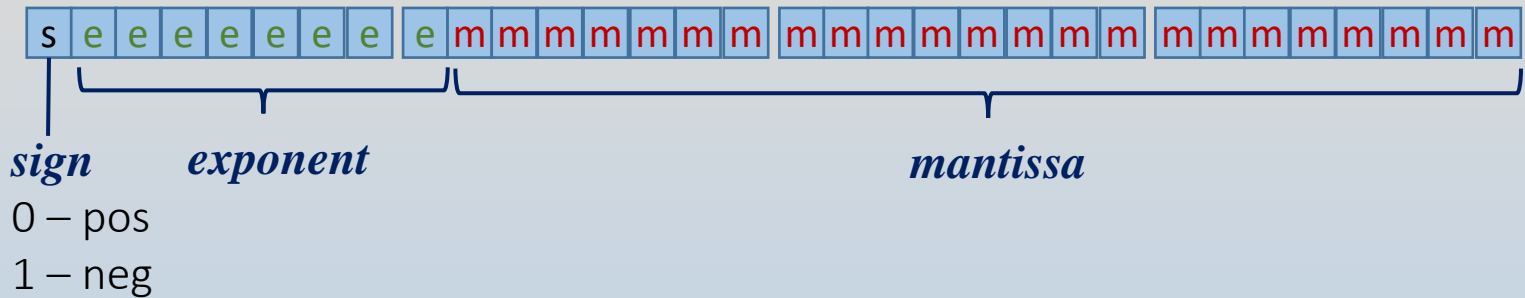
- Determines the range of represented numbers:
 - Largest number is $\approx 2^{N+1}$
 - Smallest number (>0) is $= 2^{-N}$

mantissa – number in the range $[1,2)$

- Determines relative precision, which is constant (2^{-m}) regardless of the scale of number
- can be represented by integer in range $[0, 2^m)$ (divided by 2^m plus 1)

Floating point numbers (IEEE 754)

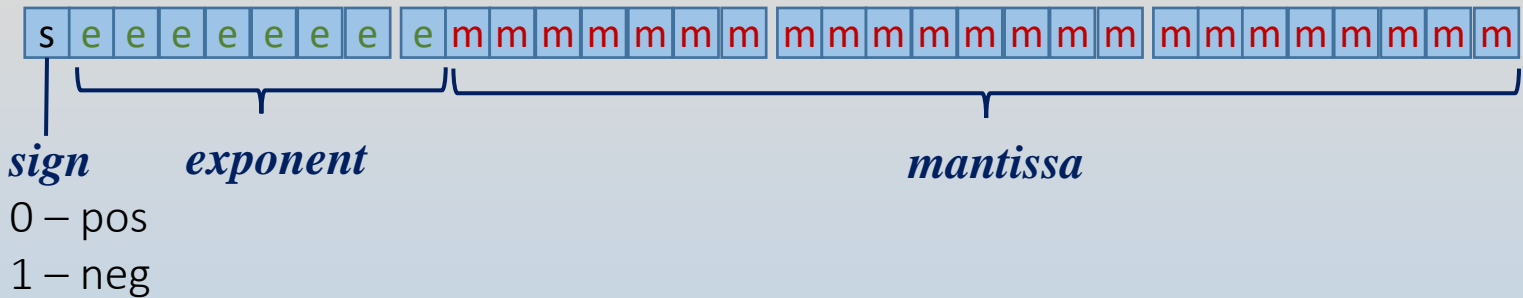
Type float:



		float
mantissa bits	(m)	23
exponent bits	(e)	8
largest exponent	$(N=2^{e-1}-1)$	127
relative precision	(2^{-m})	1.19 e-07
largest number	(2^{N+1})	3.40 e+38
smallest number in range	(2^{-N+1})	1.18 e-38
smallest number > 0	(2^{-N+1-m})	1.40 e-45

Floating point numbers (IEEE 754)

Type float:



		float	double
mantissa bits	(m)	23	52
exponent bits	(e)	8	11
largest exponent	$(N=2^{e-1}-1)$	127	1023
relative precision	(2^{-m})	1.19 e-07	2.22 e-016
largest number	(2^{N+1})	3.40 e+38	1.80 e+308
smallest number in range	(2^{-N+1})	1.18 e-38	2.23 e-308
smallest number > 0	(2^{-N+1-m})	1.40 e-45	5.00 e-324

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Literals

- A literal represents an explicit value of a certain type

Literal	Data Type	
'c'	char	- single character in ' '
178	int	- integer number
0262 (=178)	int	- octal representation (prefix zero)
0xb2 (=178)	int	- hex. representation (prefix zero+x)
178L	long	- use suffix (L / U / UL)
178U	unsigned	
178UL	unsigned long	
178.2	double	- number with decimal point
178.0	double	
1.78e2	double	- scientific notation
178D	double	- number followed with D
178.2F	float	- number followed with F
178F	float	

Variables

- In C, when variable is defined then it is associated with specific type
- Define variables in the beginning of code block (e.g., function, loop)
- Can have one statement to define multiple vars of same type and initialize their values

```
int main() {  
    int i, numIter=100;  
  
    for(i=0;i<numIter;i++) {  
        float x;  
        printf("Enter a real number: ");  
        while(1 > scanf("%f",&x))  
            ;  
        printf("%f^2 = %f\n",x,x*x);  
    }  
    return 0;  
}
```

! Unlike Java !

- Note: **should not** define iterator variable inside **for** statement

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Operators

C supports the same operators as Java:

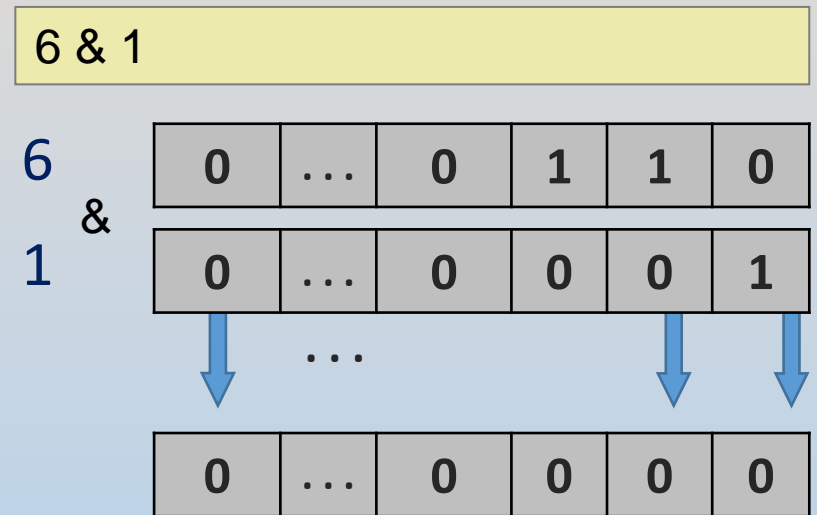
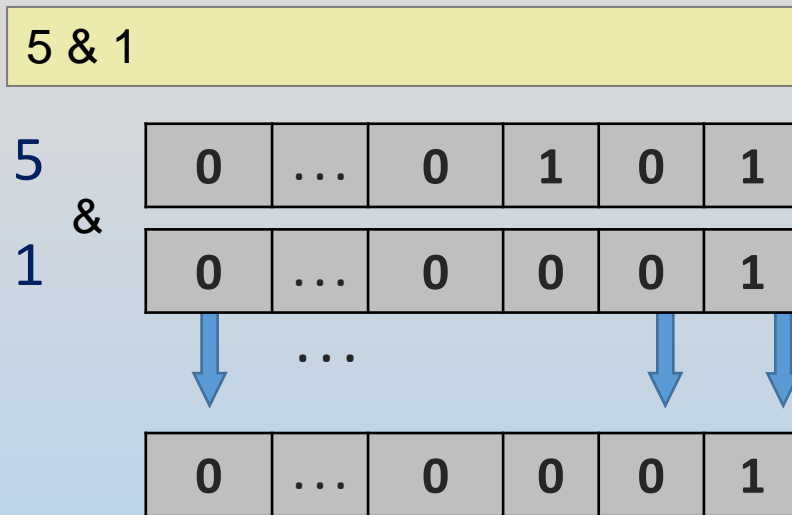
- Bitwise `&, |, ~, ^, <<, >>`
- Relational and logical `>, >=, <, <=, ==, !=, &&, ||`
- Arithmetic `+, -, *, /, %`
- Assignment `=, +=, -=, *=, /=, %=, &=, |=, ^=, <<=, >>=`
- Increment / decrement `++, --`

Bitwise operators

$\&$, $|$, \sim , \wedge , \ll , \gg

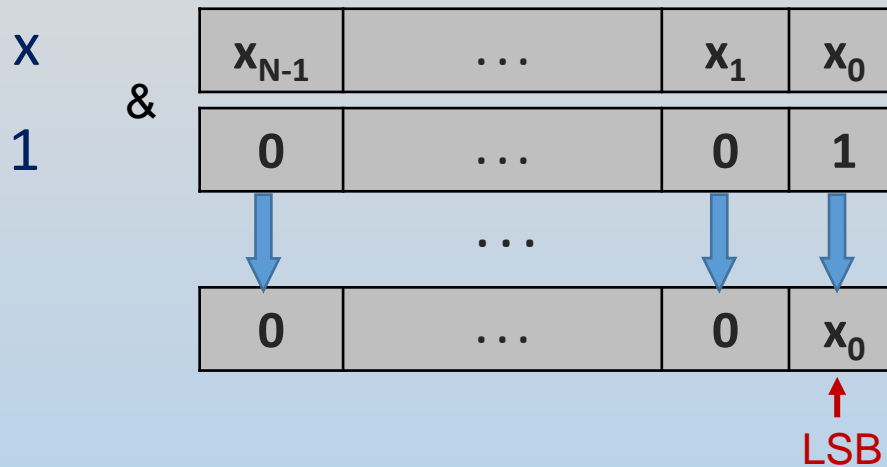
- Logical operators on bits (0 – FALSE 1 – TRUE)
 - and ($\&$) $x \& y == 1$ iff $x == y == 1$ binary
 - or ($|$) $x | y == 0$ iff $x == y == 0$ binary
 - not (\sim) $\sim x == -x - 1$ unary
 - xor (\wedge) $x \wedge y == 0$ iff $x == y$ binary
- Bitwise logical operators ($\&$, $|$, \sim , \wedge) perform bit operations on corresponding bits of two integers (bit vectors)

Bitwise operators – examples &, |, ~, ^, <<, >>



Bitwise operators – examples &, |, ~, ^, <<, >>

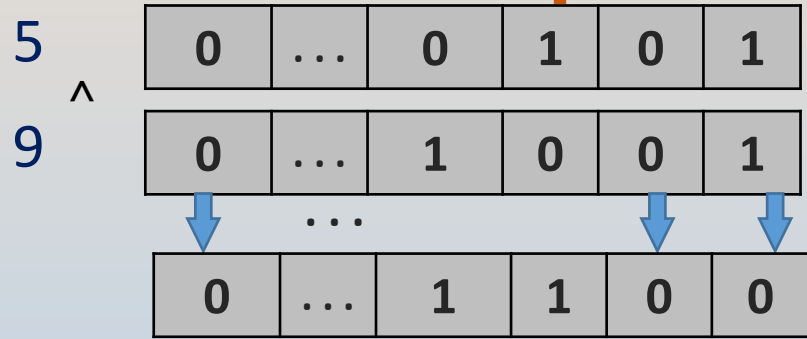
$x \& 1$



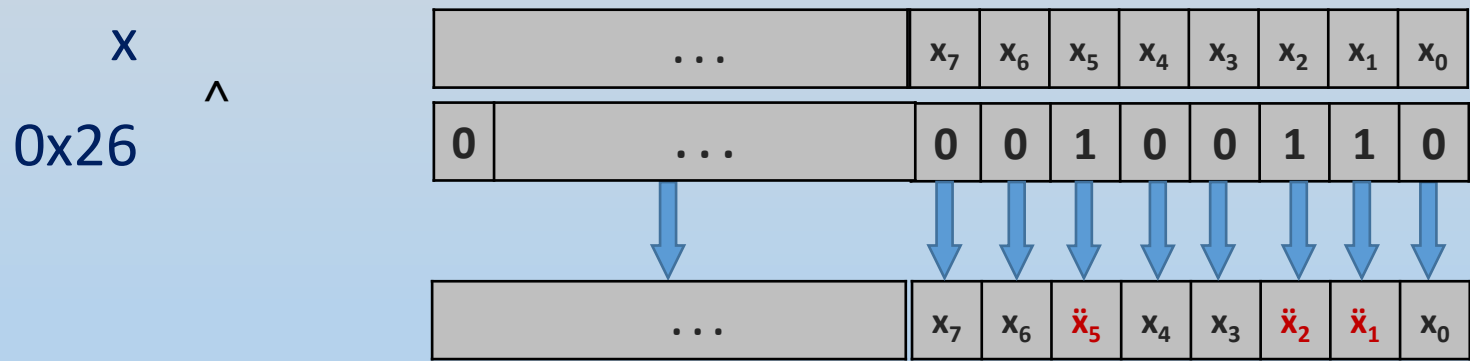
- Conclusion: $x \& 1 \rightarrow$ gets least significant bit (LSB; or parity bit)

Bitwise operators – examples &, |, ~, ^, <<, >>

$5 \wedge 9 = 12$ (0xC)



$x \wedge 0x26$



↓
 If $x_1 = 1$: $\bar{x} = 0$
 If $x_1 = 0$: $\bar{x} = 1$

- Flip 2nd, 3rd, and 6th bits
- Conclusion: $x \wedge y \rightarrow$ **flips x's bits**, in the places where y has a 1 bit
- $x \wedge 0 = x$

Bitwise operators

&, |, ~, ^, <<, >>

- Logical operators on bits (0 – FALSE 1 – TRUE)
 - and (&) $x \& y == 1$ iff $x == y == 1$ binary
 - or (|) $x | y == 0$ iff $x == y == 0$ binary
 - not (~) $\sim x == -x - 1$ unary
 - xor (^) $x \wedge y == 0$ iff $x == y$ binary
- Bitwise logical operators (&, |, ~, ^) perform bit operations on corresponding bits of two integers (bit vectors)
- Bit shift operators shift all bits in vector left (<<) or right (>>)

Bitwise operators – examples &, |, ~, ^, <<, >>

`x << 4`

- Shift all bits four positions to left
 → multiply by $16=2^4$ (could overflow)

<code>x = 125</code>	0	0	0	0	0	0	0	0	0	1	1	1	1	1	0	1
<code>x << 4 = 2000</code>	0	0	0	0	0	1	1	1	1	1	0	1	0	0	0	0

`x >> 3`

- Shift all bits three position to right
 → divide by 8 (without remainder)

<code>x = 125</code>	0	0	0	0	0	0	0	0	0	1	1	1	1	1	0	1
<code>x >> 3 = 15</code>	0	0	0	0	0	0	0	0	0	0	0	0	1	1	1	1

Bit shift operators

<< , >>

Efficient implementation of multiplication and division by powers of 2

Left shift << (mult by 2^n):

- Inserted LSB is 0
- Overflow of MSB occurs when product exceeds max value

Right shift >> (div by 2^n):

- Overflow of LSB occurs when division has remainder
- Inserted MSB is 0 when operator is applied to **unsigned types**
- Inserted MSB is **copied** from original vector when operator is applied to **signed types**.

Example: $-2 \gg 1$ yields -1 (sign is preserved)

Online poll

What is the value of $3 \& 6$? (bitwise AND)

- 1
- 2
- 3
- 5
- 6
- 7

What is the value of $3 | 6$? (bitwise OR)

- 1
- 2
- 3
- 5
- 6
- 7

What is the value of $3 \wedge 6$? (bitwise XOR)

- 1
- 2
- 3
- 5
- 6
- 7

What is the value of $(-3) \& 6$? (bitwise AND)

- -2
- -1
- 1
- 2
- 4
- 6

What is the value of $3 \ll 4$? (shift left)

- 7
- 12
- 48
- 81

What is the value of $7 \gg 2$? (shift right)

- 1
- 3
- 5
- 7

What is the value of $(-7) \gg 2$? (shift right)

- -2
- -1
- 0
- 1
- 3

Online poll – solutions

What is the value of $3 \& 6$? (bitwise AND)

- 1
- 2 ←
- 3
- 5
- 6
- 7

$$\begin{array}{r}
 3 = 0 \dots 0 0 1 1 \\
 6 = 0 \dots 0 1 1 0 \\
 \hline
 3 \& 6 = 0 \dots 0 0 1 0 = 2
 \end{array}$$

Online poll – solutions

What is the value of $3 | 6$? (bitwise OR)

- 1
- 2
- 3
- 5
- 6
- 7 ←

$$\begin{array}{r}
 3 = 0 \dots 0 0 1 1 \\
 6 = 0 \dots 0 1 1 0 \\
 \hline
 3 | 6 = 0 \dots 0 1 1 1 = 7
 \end{array}$$

Online poll – solutions

What is the value of 3^6 ? (bitwise XOR)

- 1
- 2
- 3
- 5 ←
- 6
- 7

$$\begin{array}{r}
 3 = 0 \dots 0 0 1 1 \\
 6 = 0 \dots 0 1 1 0 \\
 \hline
 3^6 = 0 \dots 0 1 0 1 = 5
 \end{array}$$

(Note that $a^b + a\&b = a|b$)

Online poll – solutions

What is the value of $(-3)\&6$? (bitwise AND)

- -2
- -1
- 1
- 2
- 4 ←
- 6

$$\begin{array}{r}
 -3 = 1 \dots 1 \ 1 \ 0 \ 1 \\
 6 = 0 \dots 0 \ 1 \ 1 \ 0 \\
 \hline
 -3\&6 = 0 \dots 0 \ 1 \ 0 \ 0 = 4
 \end{array}$$

Online poll – solutions

What is the value of $7 \gg 2$? (shift right)

- 1 ←
- 3
- 5
- 7

$$\begin{aligned}
 7 &= 0 \dots 0 \ 0 \ 0 \ 0 \ 1 \ 1 \ 1 \\
 7 \gg 2 &= 0 \dots 0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 1 = 1 \\
 &\qquad\qquad\qquad (= 7/2^2)
 \end{aligned}$$

Online poll – solutions

What is the value of $(-7) \gg 2$? (shift right)

- -2 ←
- -1
- 0
- 1
- 3

$$\begin{aligned}
 -7 &= 1 \dots 1 1 1 0 0 1 \\
 -7 \gg 2 &= 1 \dots 1 1 1 1 1 0 = -2 \\
 & \quad \quad \quad \quad \quad \quad \quad \quad \quad \quad \quad \quad (= (-7)/2^2)
 \end{aligned}$$

Relational operators

>, >=, <, <=, ==, !=

- Operations compare values of same type
- Return value is of type int
 - 0 - FALSE
 - 1 - TRUE

There is no Boolean type in C !!

! Unlike Java !

```
char c='C', d='D';  
int a = (c>d);
```

← variable a equals 0

Logical operators

&&, ||, !

- Return value is of type int
 - 0 - FALSE
 - 1 - TRUE
- Receive int operands
 - 0 - FALSE
 - any non-zero value (including negative values) - TRUE

```
char c='C', d='D';  
int a = (c>d) || 3;
```

← variable a equals 1

Note: Conditional statements (e.g., **if**, **while**) receive an int value and evaluate to TRUE iff value != 0

- **if (i!=0)** same as **if(i)**

Logical operators – short circuits

As in Java, short circuiting is applied when evaluating logical operators `&&` and `||`

- 2nd, 3rd . . . terms of composite logical expression may not be computed (and side effects may not take place)
- Often used to implement series of validity tests

Logical operators – short circuits

Example: write an if statement's condition that tests if i/j is odd and $j \neq 0$ (otherwise i/j is undefined)

- Option 1: (triggers runtime error when $j == 0$)

```
if(((i/j)%2==1) && (j!=0)) { ... }
```

- Option 2: (short circuits when $j == 0$)

```
if((j!=0) && ((i/j)%2==1)) { ... }
```

```
if((j) && ((i/j)%2)) { ... }
```

(these 2 are equivalent)

Arithmetic operators

$+$, $-$, $*$, $/$, $\%$

- Each type has its own version of each arithmetic operator
- In particular, operations on **integer types** are not the same as operations on **floating point** numbers
- Division $'/'$ is actually a different operation in integers and floating-point numbers

→ $3/4$ returns 0

→ $3.0/4.0$ returns 0.75

Complexity of arithmetic operators

Integer arithmetic implementation:

- sum / difference is **linear** in size of representation (number of bits)
- product / division / modulo are **quadratic** in size of representation
- Keep in mind possible **overflow** and loss of information

$$\begin{array}{r}
 11 1111 \\
 + 00101101 \\
 01101011 \\
 \hline
 10011000
 \end{array}$$

$$\begin{array}{r}
 00101101 \\
 01101011 \\
 \hline
 00101101 \\
 00101101 \\
 00101101 \\
 00101101 \\
 00101101 \\
 00101101 \\
 00101101 \\
 00101101 \\
 00101101 \\
 \hline
 00101101
 \end{array}$$

Floating point arithmetic is more complicated (we don't see here)

Operator complexity – summary

- Relational operators (e.g., $>$) involve simple comparisons that can be done in linear time or less
- Logical operators (e.g., $\&\&$) involve comparing a series of integers to (linear or less)
- Bitwise operators (e.g., $|$) typically involve linear scans of the bit vector
- Integer arithmetic operators are linear (e.g., $+$, $-$) or quadratic ($*$, $/$)
- Floating point arithmetic operations are more complex

=, +=, -=, *=, /=, %=,
 &=, |=, ^=, <<=, >>=

Assignment operators

- Assignment operators are binary
- Left operand must be a variable (target of assignment)
- Operator has side effect – variable value changed

```
int a=3;
```

← side effect: a's value is changed to 3

```
a *= a;
```

← side effect: a's value is changed to 9 (a = a * a;)

```
int a=3;
```

← side effect: a's value is changed to 3

```
a <<= 1;
```

← side effect: a's value is changed to 6 (a = a << 1;)

```
int a=3;
```

← side effect: a's value is changed to 3

```
a |= 3;
```

← side effect: a's value is changed to 3 (a = a | 3;)

Increment/decrement operators

++, --

- Inc/dec operators are unary
- Single operand must be a variable
- Operator has side effect – value inc/dec by 1
- What is the difference between **++x** and **x++**?

- Example 1:

```
double x = 1.2;  
double y = ++x;  
double z = x++;
```

← y = 2.2
← z = 2.2

Increment/decrement operators

++, --

- Inc/dec operators are unary
- Single operand must be a variable
- Operator has side effect – value inc/dec by 1
- What is the difference between `++x` and `x++`?

• Example 2:

```
int a = -1;  
if (a) ;  
if (a++) ;  
if (++a) ;
```

vs.

```
int a = -1;  
if (a) ;  
if (++a) ;  
if (a++) ;
```

Increment/decrement operators

++, --

- Inc/dec operators are unary
- Single operand must be a variable
- Operator has side effect – value inc/dec by 1
- What is the difference between **++x** and **x++**?
- Example 3 (involving short-circuit evaluation):

```

int i;
i = 7; if (i==3 && ++i); //i = 7
i = 7; if (i==7 && ++i); //i = 8
i = 7; if (i==3 || ++i); //i = 8
i = 7; if (i==7 || ++i); //i = 7
  
```

Multiple operators

- General question: how do we parse expressions that involve multiple operators?

```
int a = 3 / 4.0;
```

```
y = ++x;
```

```
a = c < d << 3;
```

```
float f = 3/4;
```

```
printf ("%d\n", a < a << 2 && a - 7);
```

```
if(a < c || --b); vs. if(a < c || --b);
```

```
int a = b -= 2;
```

At home...

- Lecture #6 will be given by Zoom:
 - Ilan's groups (both of them) – Tuesday, May 9
 - Sara's group – Tuesday, May 16
- 3rd homework due Sunday, May 12, @ 9 p.m.
- 4th homework will be published on May 16.
- Review guide on control flow statements in C by next week.