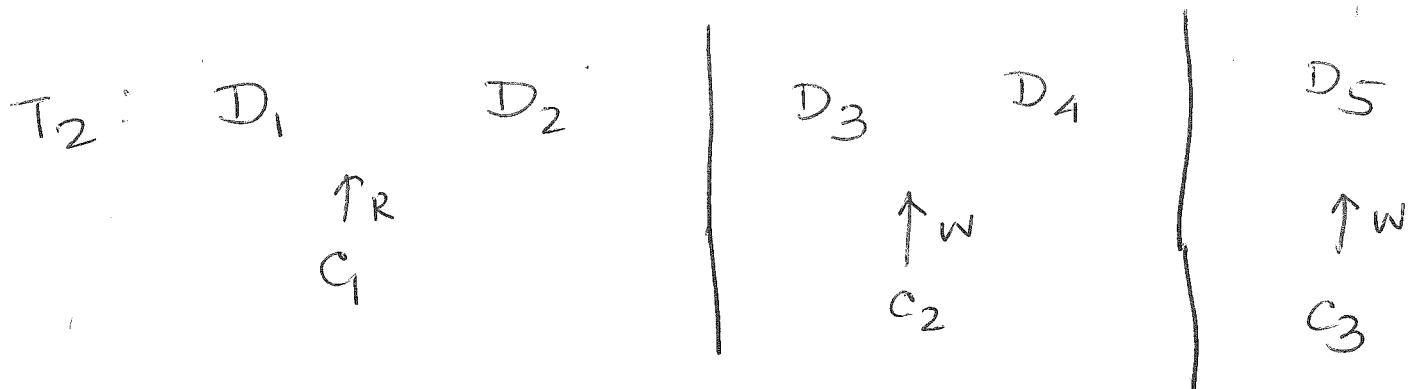
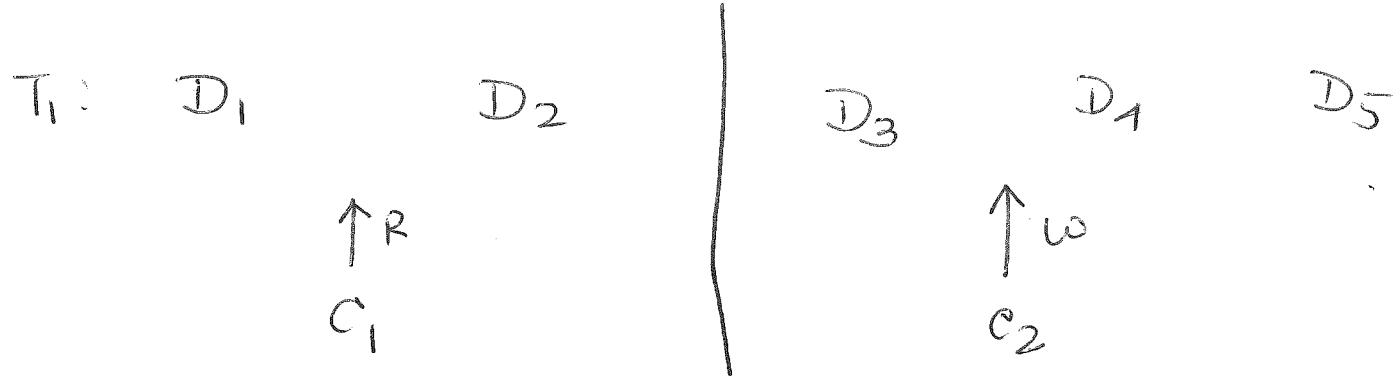


D

	D ₁	D ₂	D ₃	D ₄	D ₅
votes	1	2	3	4	5

T₀: No partition



$$\sum V = 15$$

$$R = 1 \quad N = 15$$

$$T_1: \begin{array}{l} G \xrightarrow{R} \checkmark \\ C_2 \xrightarrow{N} \times \end{array}$$

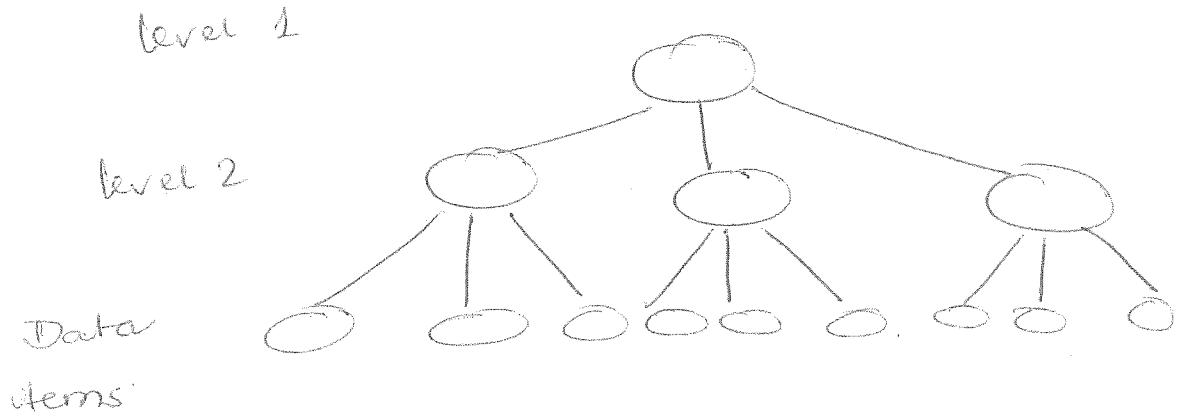
$$T_2: \begin{array}{l} G \xrightarrow{R} \checkmark \\ C_2 \xrightarrow{N} \times \\ C_3 \xrightarrow{N} \times \end{array}$$

$$R = 8 \quad N = 8$$

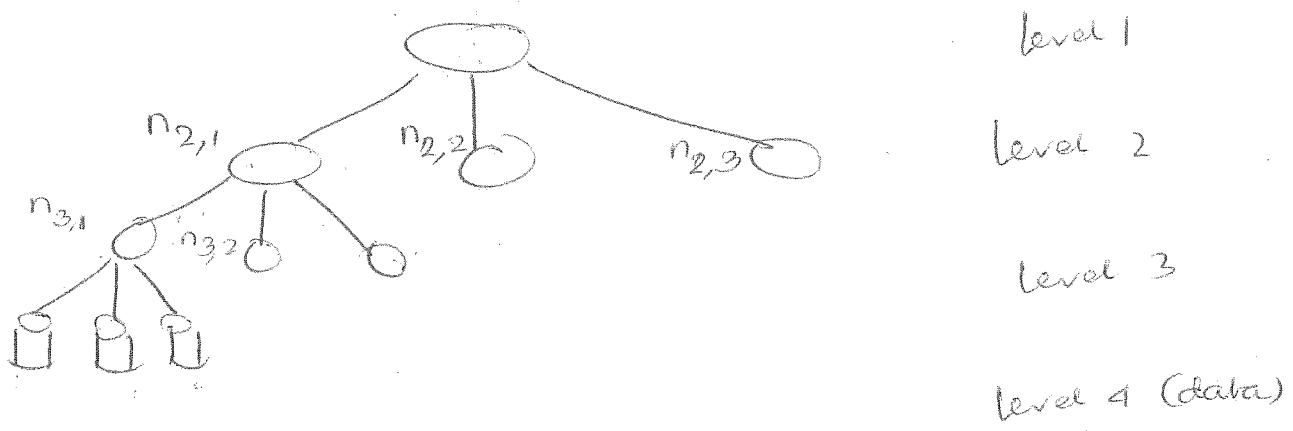
$$T_1: \begin{array}{l} G \xrightarrow{R} \times \\ C_2 \xrightarrow{N} \checkmark \end{array}$$

$$T_2: \begin{array}{l} G \xrightarrow{R} \times \\ C_2 \xrightarrow{N} \times \\ C_3 \xrightarrow{N} \times \end{array}$$

Hierarchical voting



children of a node at level $i = l_{i+1}$
 \therefore # nodes at level $i = l^{i+1}$ = l (same)



Depth = m (4 in the above example)

rounds of voting = $m-1$

Read quorum = r_i (at level i) = r (same)

Write quorum = w_i (at level i) = w (same)

data replicas I have to contact for reading = $\frac{r}{m-1}$
-- writing = $w^{\frac{m-1}{m}}$

Total n data replicas

Fixed branching factor $= l$.

Depth of tree $m = \log_l n + 1$

$$\# \text{ votes for read} = 2^{m-1} \quad (\text{read quorum} = 2)$$

$$m = \log_l n + 1$$

$\underbrace{}$

0.63

n

$d = 3$

$n = 5$

$r = w = 3$

$R + W$
possible



$R + W$
not
possible

